

15F-1 Bookkeeping

- 0 pts Correct

$$\begin{aligned}
\text{JF-2 } \text{VC}(\text{do}_{I_{N1}, I_{N2}} c \text{ while } b, B) &= I_{N1} \wedge \text{VC}(c; \text{while}_{I_{N2}} b \text{ do } C, B) \\
&= I_{N1} \wedge \text{VC}(c, \text{VC}(\text{while}_{I_{N2}} b \text{ do } c, B)) \\
&= I_{N1} \wedge (\text{VC}(c, I_{N2} \wedge (\forall x_1, \dots, x_n. I_{N2} \Rightarrow (e \Rightarrow \text{VC}(c, I_{N2}) \wedge \neg e \Rightarrow B))))
\end{aligned}$$

2 5F-2 VCGen Do-While

- 0 pts Correct

SF-3

Stark: A: $x \leq 6$,

B: $x = 6$

σ : Any σ with $\sigma[x] = 5$

σ' : $\sigma'[x] = 6$

C: while $x \leq 5$ do $x := x + 1$

$\langle C, \sigma \rangle \Downarrow \sigma'$ is true

$\sigma \models A$ is true as $\sigma[x] = 5 \leq 6$

$\sigma' \models B$ is true as $\sigma'[x] = 6$

I think it's not possible to prove $\vdash \{x \leq 6\}$ while $x \leq 5$ do $x := x + 1$ $\{x = 6\}$

Using Stark rule, we can show that $\vdash \{x \leq 6\}$ while $x \leq 5$ do $x := x + 1$ $\{x \leq 6\}$

but without a lower bound constraint, we cannot have something like $x > 5$ then

using consequence, so it's not possible to prove this.

Targaryen: A: $x \leq 6$,

B: $x = 6$

σ : Any σ with $\sigma[x] = 5$

σ' : $\sigma'[x] = 6$

C: while $x \leq 5$ do $x := x + 1$

$\langle C, \sigma \rangle \Downarrow \sigma'$ is true

$\sigma \models A$ is true as $\sigma[x] = 5 \leq 6$

$\sigma' \models B$ is true as $\sigma'[x] = 6$ (The same context as Stark)

I think it's not possible to prove $\vdash \{x \leq 6\}$ while $x \leq 5$ do $x := x + 1$ $\{x = 6\}$

Even we could have $\{x \leq 6\} \wedge \{x > 5\}$ at the bottom, $\{x \leq 6\} x := x + 1 \{x \leq 6\}$

is not always true. When $x = 6$ it fails. So, b is also needed for the pre condition.

3 5F-3 VCGen Mistakes

- 0 pts Correct