# CS 6120/CS 4120: Natural Language Processing

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#### Outline

- → Maximum Entropy
  - Feedforward Neural Networks
  - Recurrent Neural Networks

#### Introduction

- · So far we've looked at "joint (or generative) models"
  - Language models, Naive Bayes, HMM
- But there is now much use of conditional or discriminative probabilistic models in NLP, Speech, information retrieval (and machine learning generally)

- They give high accuracy performance
   They make it easy to incorporate lots of linguistically important features

#### Joint vs. Conditional Models

- We have some data {(d, c)} of paired observations d and hidden classes c.
- Joint (generative) models place probabilities over both observed data and the hidden stuff (generate the observed data from hidden stuff): p(c|d)=p(c,d)/p(d)
  - All the classic statistic NLP models:
    - n-gram models, Naive Bayes classifiers, hidden Markov models, probabilistic context-free grammars, IBM machine translation alignment models

#### Joint vs. Conditional Models

- Discriminative (conditional) models take the data as given, and put a probability over hidden structure given the data: P(c|d)
  - Logistic regression/maximum entropy models (this lecture), conditional random fields
     Also, SVMs, (averaged) perceptron, etc. are discriminative classifiers (but not directly probabilistic)

# Conditional vs. Joint Likelihood

- A joint model gives probabilities P(d,c) and tries to maximize this joint likelihood.
- A conditional model gives probabilities  $P(c \mid d)$ . It takes the data as given and models only the conditional probability of the class.
  - · We seek to maximize conditional likelihood.
  - More closely related to classification error.

## Maximum Entropy (MaxEnt)

Or logistic regression

#### Features

- In these slides and most MaxEnt work: features (or feature functions) f are elementary pieces of evidence that link aspects of what we observe d with a category c that we want
- A feature is a function with a **bounded** real value:  $f: C \times D \rightarrow$ R

# Example Task: Named Entity Type

LOCATION in Arcadia

LOCATION in Québec

DRUG PERSO taking Zantac saw Sue

# Example features

- $f(c, d) \equiv [c = \text{LOCATION A } w := \text{"in" A isCapitalized}(w)]$   $f(c, d) \equiv [c = \text{LOCATION A hasAccentedLatinChar}(w)]$   $f(c, d) \equiv [c = \text{DRUG A ends}(w, \text{"c"})]$

LOCATION in Arcadia

LOCATION in Québec

DRUG PERSO taking Zantac saw Sue

- Models will assign to each feature a weight:
  - A positive weight votes that this configuration is likely correct
  - $\bullet$  A negative weight votes that this configuration is likely incorrect

## Example features

- $f(c, d) = [c = \text{LOCATION } \land w \cdot 1 = \text{"in" } \land \text{ isCapitalized}(w)] \rightarrow \text{weight } 1.8$   $f(c, d) = [c = \text{LOCATION } \land \text{hasAccentedLatinChar}(w)] \rightarrow \text{weight } -0.6$   $f(c, d) = [c = \text{DRUG } \land \text{ends}(w, \text{"c"})] \rightarrow \text{weight } 0.3$

- Weights will be learned by training on a labeled dataset

More about feature functions:

an indicator function – a yes/no boolean matching function – of properties of the input and a particular class

$$f_i(c, d) \equiv [\Phi(d) \land c = c_i]$$
 [Value is 0 or 1]

#### Feature-Based Models

• The decision about a data point is based only on the features active at that point.

.. to restructure

Data

Data BUSINESS: Stocks hit a yearly low .. Label: BUSINESS Features

{..., stocks, hit, a, yearly, low, ...} Text Classification

w+1=debt, L=12, ...}

bank:MONEY debt. Features
..., w-1=restructure,

Word Sense Disambiguation

Label: MONEY

Data NN .. The previous fall ... Label: NN Features  $\{w = fall, t_{-1} = JJ\}$  $w_{-1}$ =previous}

## POS Tagging

#### Feature-Based Linear Classifiers

- Linear classifiers at classification time:
- Linear function from feature sets {fi} to classes {c}.
- Assign a weight  $\lambda_i$  to each feature  $f_i$ .
- We consider each class for sample d
- For a pair (c,d), features vote with their weights:

• vote(c) =  $\sum_{i} \lambda_{i} f_{i}(c,d)$ 

in Québec

in Québec

DRUG in Québec

• Choose the class c which maximizes  $\sum \lambda f(c,d)$ 

- Maximum Entropy: • Make a probabilistic model from the linear combination  $\Sigma \lambda \mathit{ff}(c,d)$

$$P(c \mid d, \lambda) = \frac{\exp \sum_{c} \lambda_{i} f_{i}(c, d)}{\sum_{c} \exp \sum_{c} \lambda_{i} f_{i}(c', d)} \underbrace{\qquad \qquad \text{Makes votes positive}}_{\text{Normalizes votes}}$$

#### Feature-Based Linear Classifiers

- $f_1(c, d) = [c = \text{LOCATION} \land w_{-1} = \text{"in"} \land \text{isCapitalized}(w)] \rightarrow \text{weight } 1.8$
- $f_i(c, d) \equiv [c = \text{LOCATION} \land \text{hasAccentedLatinChar}(w)] \rightarrow \text{weight } -0.6$   $f_i(c, d) \equiv [c = \text{DRUG} \land \text{ends}(w, \text{"c"})] \rightarrow \text{weight } 0.3$

$$f_1(c, d) = [c = \text{LOCATION } \land w_1 = \text{``in'' } \land \text{isCapitalized}(w)] > \text{weight } 1.8$$
  
 $f_2(c, d) = [c = \text{LOCATION } \land \text{hasAccentedLatinChar}(w)] > \text{weight } -0.6$   
 $f_3(c, d) = [c = \text{DRUG } \land \text{ends}(w, \text{``c''})] > \text{weight } 0.3$ 

- Maximum Entropy:
  - Make a probabilistic model from the linear combination  $\Sigma \lambda_i f_i(c,d)$

 $\begin{array}{l} fi(c,d) = [c = \text{LOCATION } \land w_1 = \text{``in''} \land \text{isCapitalized}(w)] > \text{weight } 1.8 \\ f(c,d) = [c = \text{LOCATION } \land \text{hasAccentedLatinChar}(w)] > \text{weight } -0.6 \\ fi(c,d) = [c = \text{DRUG } \land \text{ends}(w,\text{``c''})] > \text{weight } 0.3 \\ \end{array}$ 

- Maximum Entropy:
  - Make a probabilistic model from the linear combination  $\Sigma \lambda_i f_i(c,d)$

- $\begin{array}{l} \bullet \ \ \mathsf{P(LOCATION|in} \ qu\'ebee') = e^{1.8}e^{0.6}/(e^{1.8}e^{0.6} + e^{0.3} + e^0) = 0.586 \\ \bullet \ \ \mathsf{P(DRUC|in} \ qu\'ebee') = e^{0.3}/(e^{1.8}e^{0.6} + e^{0.3} + e^0) = 0.238 \\ \bullet \ \ \mathsf{P(PERSON|in} \ qu\'ebee') = e^0/(e^{1.8}e^{0.6} + e^{0.3} + e^0) = 0.176 \end{array}$

- The weights are the parameters of the probability model, combined via a "soft max" function

#### Feature-Based Linear Classifiers

- Given this model form, we will choose parameters  $\{\lambda_i\}$  that maximizethe conditional likelihood of the data according to this model.
- Parameter learning is omitted and not required for this course, but is often discussed in a machine learning class.
  - E.g. gradient descent for parameter learning
- We construct not only classifications, but probability distributions over classifications.
  - There are other (good!) ways of discriminating classes SVMs, boosting, even perceptrons – but these methods are not as trivial to interpret as distributions over classes.

#### Other MaxEnt Classifier Examples

- You can use a MaxEnt classifier whenever you want to assign data points to one of a number of classes:
  - Sentence boundary detection (Mikheev 2000)
     Is a period end of sentence or abbreviation?

  - Sentiment analysis (Pang and Lee 2002)
  - Word unigrams, bigrams, POS counts, ...

     Prepositional phrase attachment (Ratnaparkhi 1998)
  - · Attach to verb or noun? Features of head noun, preposition, etc.
  - Parsing decisions (Ratnaparkhi 1997; Johnson et al. 1999, etc.)

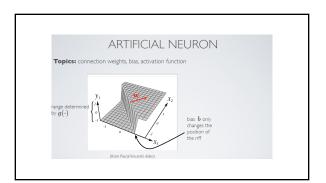
#### Outline

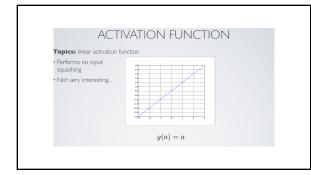
- Maximum Entropy
- → Feedforward Neural Networks
  - · Recurrent Neural Networks

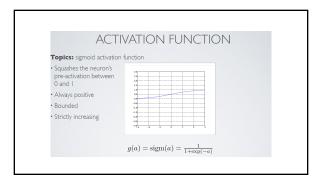
# Neural Network Learning

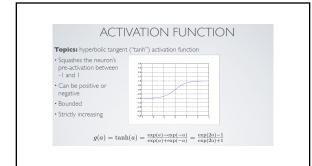
- Learning approach based on modeling adaptation in biological neural systems.
- Perceptron: Initial algorithm for learning simple neural networks (single layer) developed in the 1950's.
- Backpropagation: More complex algorithm for learning multi-layer neural networks developed in the 1980's. (not required for this class)

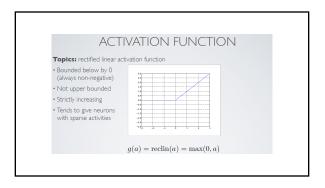
# ARTIFICIAL NEURON Topics: connection weights, bias, activation function Neuron pre-activation (or input activation): $a(\mathbf{x}) = b + \sum_{i} w_i x_i = b + \mathbf{w}^{\top} \mathbf{x}$ Neuron (output) activation $h(\mathbf{x}) = g(a(\mathbf{x})) = g(b + \sum_i w_i x_i)$ **W** are the connection weights $\cdot$ b is the neuron bias + $g(\cdot)$ is called the activation function



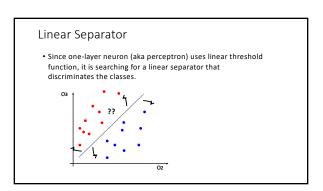


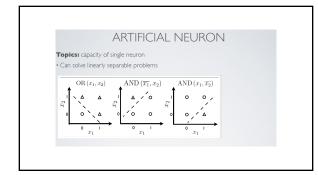


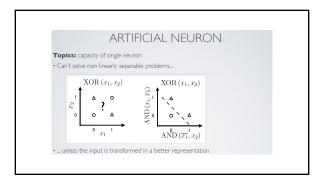


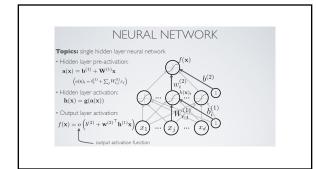


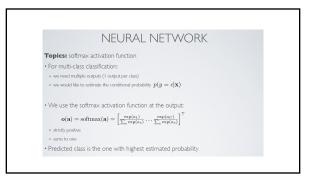


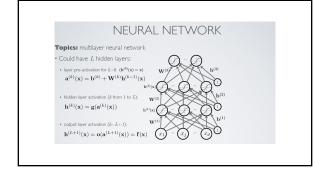




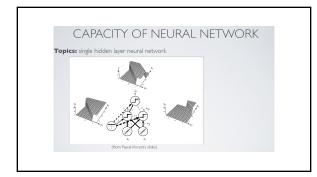


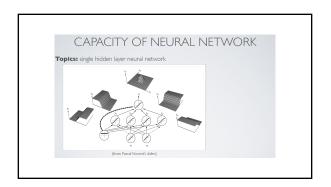


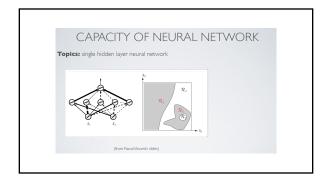




# forward-pass of a 3-layer neural network:  $f = lambda \ x: \ 1.0/(1.0 + np.exp(-x)) \ \# \ activation function (use sigmoid) \\ x = np.random.randn(3, 1) \ \# \ random input vector of three numbers (3x1) \\ hl = f(np.dot(N1, x) + hl) \ \# \ calculate first hidden layer activations (4x1) \\ h2 = f(np.dot(N2, h1) + b2) \ \# \ calculate second hidden layer activations (4x1) \\ out = np.dot(N3, h2) + b3 \ \# \ output neuron (1x1)$ 







CAPACITY OF NEURAL NETWORK

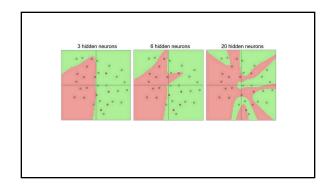
Topics: universal approximation

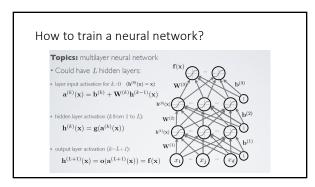
Universal approximation theorem (\*sens. 1991):

\*\*a single hidden layer neural network with a linear output unit can approximate any continuous function arbitrarily well given enough hidden units\*

The result applies for sigmoid, tanh and many other hidden layer activation functions

This is a good result, but it doesn't mean there is a learning algorithm that can find the necessary parameter values!





# Empirical Risk Minimization

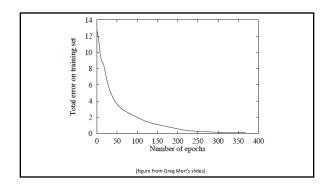
Topics: empirical risk minimization, regularization

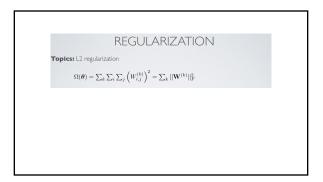
- · Empirical risk minimization
- framework to design learning algorithms

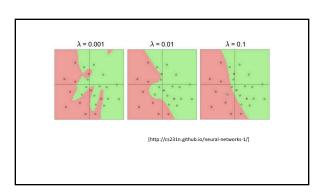
$$\operatorname*{arg\,min}_{\pmb{\theta}} \frac{1}{T} \sum_{t} l(f(\mathbf{x}^{(t)}; \pmb{\theta}), y^{(t)}) + \lambda \Omega(\pmb{\theta})$$

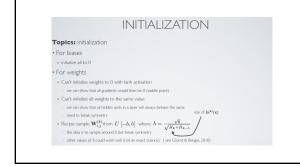
- +  $l(f(\mathbf{x}^{(t)}; \boldsymbol{\theta}), y^{(t)})$  is a loss function
- +  $\Omega(oldsymbol{ heta})$  is a regularizer (penalizes certain values of  $oldsymbol{ heta}$  )
- Learning is cast as optimization
- ideally, we'd optimize classification error; but it's not smooth
- loss function is a surrogate for what we truly should optimize (e.g. upper bound)

# 









## Model Learning

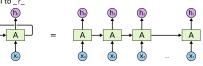
- Backpropagation (BP) algorithm (not required for this course)
- Further reading on BP:
  - https://towardsdatascience.com/understanding-backpropagation-algorithm-7bb3aa2f95fd
  - https://mattmazur.com/2015/03/17/a-step-by-step-backpropagationexample/

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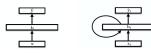
# Long Distance Dependencies

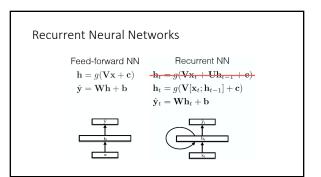
- It is very difficult to train NNs to retain information over many time steps
- This makes it very difficult to handle long-distance dependencies, such as subject-verb agreement.
- E.g. Jane walked into the room. John walked in too. It was late in the day. Jane said hi to \_?\_

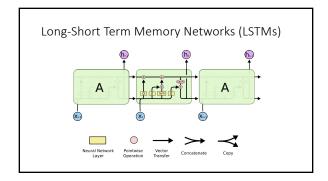


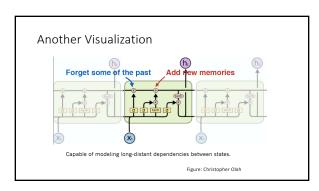
# **Recurrent Neural Networks**

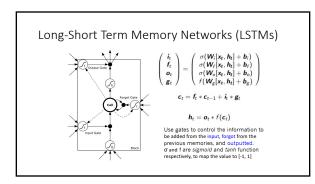
$$\begin{aligned} & \text{Feed-forward NN} & & \text{Recurrent NN} \\ & \mathbf{h} = g(\mathbf{V}\mathbf{x} + \mathbf{c}) & & \mathbf{h}_t = g(\mathbf{V}\mathbf{x}_t + \mathbf{U}\mathbf{h}_{t-1} + \mathbf{c}) \\ & \hat{\mathbf{y}} = \mathbf{W}\mathbf{h} + \mathbf{b} & & \hat{\mathbf{y}}_t = \mathbf{W}\mathbf{h}_t + \mathbf{b} \end{aligned}$$

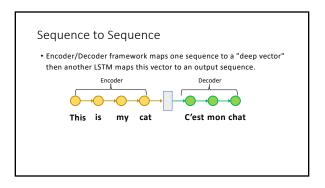


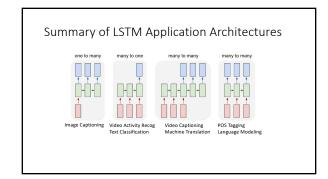












# Successful Applications of LSTMs • Speech recognition: Language and acoustic modeling • Sequence labeling • POS Tagging • NER • Phrase Chunking • Neural syntactic and semantic parsing • Image captioning • Sequence to Sequence • Machine Translation (Sustkever, Vinyals, & Le, 2014) • Video Captioning (input sequence of CNN frame outputs)