# Lecture 17: 3D Vision

Justin Johnson

Lecture 17 - 1

### Reminder: A4

A4 due Today, Wednesday, November 13, 11:59pm

A4 covers:

- PyTorch autograd
- Residual networks
- Recurrent neural networks
- Attention
- Feature visualization
- Style transfer
- Adversarial examples

## Recall: Course Structure

# We are here!

- First half: Fundamentals
  - Details of how to implement and train different types of networks
  - Fully-connected networks, convolutional networks, recurrent networks
  - How to train and debug, very detailed
- Second half: Applications and "Researchy" topics
  - Object detection, image segmentation, 3D vision, videos
  - Attention, Transformers
  - Vision and Language
  - Generative models: GANs, VAEs, etc
  - Less detailed: provide overview and references, but skip some details

## Last Time: Predicting 2D Shapes of Objects

### Classification

### Semantic Segmentation

### Object Detection

### Instance Segmentation



## Today: Predicting **3D Shapes of Objects**

### Mask R-CNN: 2D Image -> 2D shapes

Mesh R-CNN: 2D Image -> **3D** shapes



Gkioxari, Malik, and Johnson, "Mesh R-CNN", ICCV 2019

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He, Gkioxari, Dollár, and Girshick, "Mask R-CNN",

**ICCV 2017** 

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### Focus on Two Problems today

### Predicting 3D Shapes from single image

# Processing 3D input data



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## Many more topics in 3D Vision!

**Computing correspondences** Multi-view stereo Structure from Motion Simultaneous Localization and Mapping (SLAM) Self-supervised learning **View Synthesis Differentiable graphics 3D** Sensors

Many non-Deep Learning methods alive and well in 3D!

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### 3D Shape Representations



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### 3D Shape Representations



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## 3D Shape Representations: Depth Map

For each pixel, **depth map** gives distance from the camera to the object in the world at that pixel

RGB image + Depth image = RGB-D Image (2.5D)

This type of data can be recorded directly for some types of 3D sensors (e.g. Microsoft Kinect)



### RGB Image: 3 x H x W Depth Map: H x W

Eigen and Fergus, "Predicting Depth, Surface Normals and Semantic Labels with a Common Multi-Scale Convolutional Architecture", ICCV 2015

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# **Predicted Depth Image:** Predicting Depth Maps $1 \times H \times W$ **Per-Pixel Loss** (L2 Distance)

### **RGB Input Image:** 3 x H x W

# Fully ConvolutionalPredicted Depth Image:network1 x H x W

Eigen, Puhrsh, and Fergus, "Depth Map Prediction from a Single Image using a Multi-Scale Deep Network", NeurIPS 2014

Eigen and Fergus, "Predicting Depth, Surface Normals and Semantic Labels with a Common Multi-Scale Convolutional Architecture", ICCV 2015

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# **RGB Input Image:** 3 x H x W

# Fully ConvolutionalPredicted Depth Image:network1 x H x W

Eigen, Puhrsh, and Fergus, "Depth Map Prediction from a Single Image using a Multi-Scale Deep Network", NeurIPS 2014

Eigen and Fergus, "Predicting Depth, Surface Normals and Semantic Labels with a Common Multi-Scale Convolutional Architecture", ICCV 2015

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## 3D Shape Representations: Surface Normals

For each pixel, **surface normals** give a vector giving the normal vector to the object in the world for that pixel



RGB Image: 3 x H x W

### Normals: 3 x H x W

Eigen and Fergus, "Predicting Depth, Surface Normals and Semantic Labels with a Common Multi-Scale Convolutional Architecture", ICCV 2015

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## Predicting Normals

**Ground-truth Normals:** 

3 x H x W





**RGB Input Image:** 3 x H x W

# Fully Convolutional network

**Predicted Normals:** 3 x H x W Recall:

**Per-Pixel Loss:** 

 $(x \cdot y) / (|x||y|)$ 

 $x \cdot y$ =  $|x| |y| \cos \theta$ 

Eigen and Fergus, "Predicting Depth, Surface Normals and Semantic Labels with a Common Multi-Scale Convolutional Architecture", ICCV 2015

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### 3D Shape Representations



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### 3D Shape Representations: Voxels

- Represent a shape with a V x V x V grid of occupancies
- Just like segmentation masks in Mask R-CNN, but in 3D!
- (+) Conceptually simple: just a 3D grid!
- (-) Need high spatial resolution to capture fine structures
- (-) Scaling to high resolutions is nontrivial!



Choy et al, "3D-R2N2: A Unified Approach for Single and Multi-view 3D Object Reconstruction", ECCV 2016

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### Processing Voxel Inputs: 3D Convolution



Train with classification loss

Wu et al, "3D ShapeNets: A Deep Representation for Volumetric Shapes", CVPR 2015

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### Generating Voxel Shapes: 3D Convolution



#### Train with per-voxel cross-entropy loss

Choy et al, "3D-R2N2: A Unified Approach for Single and Multi-view 3D Object Reconstruction", ECCV 2016

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### Generating Voxel Shapes: "Voxel Tubes"



#### Train with per-voxel cross-entropy loss

Choy et al, "3D-R2N2: A Unified Approach for Single and Multi-view 3D Object Reconstruction", ECCV 2016

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## Voxel Problems: Memory Usage

# Storing 1024<sup>3</sup> voxel grid takes 4GB of memory!





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## Scaling Voxels: Oct-Trees

Use voxel grids with heterogenous resolution!



Tatarchenko et al, "Octree Generating Networks: Efficient Convolutional Architectures for High-resolution 3D Outputs", ICCV 2017

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## Scaling Voxels: Nested Shape Layers

Predict shape as a composition of positive and negative spaces















Doll image is licensed under CC-BY 2.0

Richter and Roth, "Matryoshka Networks: Predicting 3D Geometry via Nested Shape Layers", CVPR 2018

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### 3D Shape Representations



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### 3D Shape Representations



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Learn a function to classify arbitrary 3D points as inside / outside the shape

$$o: \mathbb{R}^3 \to \{0,1\}$$

The surface of the 3D object is the level set





 $\{x: o(x) = \frac{1}{2}\}$ 

Implicit function

**Explicit Shape** 

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Learn a function to classify arbitrary 3D points as inside / outside the shape

$$o: \mathbb{R}^3 \to \{0,1\}$$

The surface of the 3D object is the level set





 $\{x: o(x) = \frac{1}{2}\}$ 

Same idea: **signed distance function (SDF)** gives the Euclidean distance to the surface of the shape; sign gives inside / outside

Implicit function

**Explicit Shape** 

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Learn a function to classify arbitrary 3D points as inside / outside the shape

$$o: \mathbb{R}^3 \to \{0,1\}$$

The surface of the 3D object is the level set

 ${x : o(x) = \frac{1}{2}}$ 



Allows for multiscale outputs like Oct-Trees

Mescheder et al, "Occupancy Networks: Learning 3D Reconstruction in Function Space", CVPR 2019

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Learn a function to classify arbitrary 3D points as inside / outside the shape

$$o: \mathbb{R}^3 \to \{0,1\}$$

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### 3D Shape Representations



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### 3D Shape Representations



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## 3D Shape Representations: Point Cloud

- Represent shape as a set of P points in 3D space
- (+) Can represent fine structures without huge numbers of points
- () Requires new architecture, losses, etc
- (-) Doesn't explicitly represent the surface of the shape: extracting a mesh for rendering or other applications requires post-processing



Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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Qi et al, "PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation", CVPR 2017

Qi et al, "PointNet++: Deep Hierarchical Feature Learning on Point Sets in a Metric Space", NeurIPS 2017

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### Predicting Point Clouds: Loss Function

We need a (differentiable) way to compare pointclouds as sets!

Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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### Predicting Point Clouds: Loss Function

We need a (differentiable) way to compare pointclouds as sets!

**Chamfer distance** is the sum of L2 distance to each point's nearest <sup>C</sup> neighbor in the other set

$$d_{CD}(S_1, S_2) = \sum_{x \in S_1} \min_{y \in S_2} \|x - y\|_2^2 + \sum_{y \in S_2} \min_{x \in S_1} \|x - y\|_2^2$$

Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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**Chamfer distance** is the sum of L2 distance to each point's nearest d neighbor in the other set

$$l_{CD}[S_1 | S_2] = \sum_{x \in S_1} \min_{y \in S_2} ||x - y||_2^2 + \sum_{y \in S_2} \min_{x \in S_1} ||x - y||_2^2$$



Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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### Predicting Point Clouds: Loss Function

We need a (differentiable) way to compare pointclouds as sets!

**Chamfer distance** is the sum of L2 distance to each point's nearest a neighbor in the other set

$$d_{CD}[S_1, S_2] = \sum_{x \in S_1} \min_{y \in S_2} \|x - y\|_2^2 + \sum_{y \in S_2} \min_{x \in S_1} \|x - y\|_2^2$$



Fan et al, "A Point Set Generation Network for 3D Object Reconstruction from a Single Image", CVPR 2017

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## 3D Shape Representations



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## 3D Shape Representations



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Represent a 3D shape as a set of triangles
Vertices: Set of V points in 3D space
Faces: Set of triangles over the vertices
(+) Standard representation for graphics
(+) Explicitly represents 3D shapes



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Represent a 3D shape as a set of triangles

**Vertices**: Set of V points in 3D space

Faces: Set of triangles over the vertices

(+) Standard representation for graphics

(+) Explicitly represents 3D shapes

(+) Adaptive: Can represent flat surfaces very efficiently, can allocate more faces to areas with fine detail



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Represent a 3D shape as a set of triangles

Vertices: Set of V points in 3D space

Faces: Set of triangles over the vertices

(+) Standard representation for graphics

(+) Explicitly represents 3D shapes

(+) Adaptive: Can represent flat surfaces very efficiently, can allocate more faces to areas with fine detail

(+) Can attach data on verts and interpolate over the whole surface: RGB colors, texture coordinates, normal vectors, etc.



UV mapping figure is licensed under <u>CC BY-SA 3.0</u>. Figure slightly reorganized.

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Represent a 3D shape as a set of triangles

Vertices: Set of V points in 3D space

Faces: Set of triangles over the vertices

(+) Standard representation for graphics

(+) Explicitly represents 3D shapes

(+) Adaptive: Can represent flat surfaces very efficiently, can allocate more faces to areas with fine detail

(+) Can attach data on verts and interpolate over the whole surface: RGB colors, texture coordinates, normal vectors, etc.

(-) Nontrivial to process with neural nets!



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# Predicting Meshes: Pixel2Mesh

Input: Single RGB Image of an object

# **Output**: Triangle mesh for the object



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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# Predicting Meshes: Pixel2Mesh

# **Input**: Single RGB Image of an object

Key ideas:

Iterative Refinement Graph Convolution Vertex Aligned-Features Chamfer Loss Function

# **Output**: Triangle mesh for the object



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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# Predicting Triangle Meshes: Iterative Refinement

Idea #1: Iterative mesh refinement

Start from initial ellipsoid mesh Network predicts offsets for each vertex Repeat.



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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Predicting Triangle Meshes: Graph Convolution

 $\mathbf{f'}_{i} = W_0 f_i + \sum_{j \in \mathcal{N}(i)} W_1 f_j$ 

Vertex v<sub>i</sub> has feature f<sub>i</sub>

New feature f'<sub>i</sub> for vertex vi depends on feature of neighboring vertices N(i)

Use same weights W0 and W1 to compute all outputs



**Input**: Graph with a feature vector at each vertex

**Output**: New feature vector for each vertex

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Predicting Triangle Meshes: Graph Convolution



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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Predicting Triangle Meshes: Graph Convolution



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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# Predicting Triangle Meshes: Vertex-Aligned Features

- Idea #2: Aligned vertex features For each vertex of the mesh:
- Use camera information to project onto image plane
- Use bilinear interpolation to sample a CNN feature



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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# Predicting Triangle Meshes: Vertex-Aligned Features

- Idea #2: Aligned vertex features For each vertex of the mesh:
- Use camera information to project onto image plane
- Use bilinear interpolation to sample a CNN feature

Similar to Rol-Align operation from last time: maintains alignment between input image and feature vectors



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?



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Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

**Idea:** Convert meshes to pointclouds, then compute loss



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Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

**Idea:** Convert meshes to pointclouds, then compute loss



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Sample points from the surface of the ground-truth mesh (offline)

Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

Loss = Chamfer distance between predicted verts and ground-truth samples

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Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

Loss = Chamfer distance between predicted verts and ground-truth samples



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

Loss = Chamfer distance between predicted samples and ground-truth samples



Smith et al, "GEOMetrics: Exploiting Geometric Structure for Graph-Encoded Objects", ICML 2019

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Problem: Need to sample online! Must be efficient! Problem: Need to backprop through sampling!

Loss = Chamfer distance between predicted samples and ground-truth samples



Smith et al, "GEOMetrics: Exploiting Geometric Structure for Graph-Encoded Objects", ICML 2019

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# Predicting Meshes: Pixel2Mesh

# **Input**: Single RGB Image of an object

Key ideas:

Iterative Refinement Graph Convolution Vertex Aligned-Features Chamfer Loss Function

# **Output**: Triangle mesh for the object



Wang et al, "Pixel2Mesh: Generating 3D Mesh Models from Single RGB Images", ECCV 2018

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## 3D Shape Representations



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# 3D Shape Prediction



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# 3D Shape Prediction



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In 2D, we evaluate boxes and segmentation masks with intersection over union (IoU):





Figure credit: Alexander Kirillov

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In 2D, we evaluate boxes and segmentation masks with intersection over union (IoU):



Figure credit: Alexander Kirillov

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In 3D: Voxel IoU Problem: Cannot capture thin structures Problem: Cannot be applied to pointclouds Problem: For meshes, need to voxelize or sample

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In 2D, we evaluate boxes and segmentation masks with intersection over union (IoU):



In 3D: Voxel IoU

Problem: Cannot capture thin structuresProblem: Cannot be applied to pointcloudsProblem: For meshes, need to voxelize or sampleProblem: Not very meaningful at low values!





Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

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State–of-the-art methods achieve low IoU

loU



Results from Mescheder et al, "Occupancy Networks: Learning 3D Reconstruction in Function Space", CVPR 2019

**Conclusion**: Voxel IoU not a good metric

In 3D: Voxel IoU

Problem: Cannot capture thin structuresProblem: Cannot be applied to pointcloudsProblem: For meshes, need to voxelize or sampleProblem: Not very meaningful at low values!



Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

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# Shape Comparison Metrics: Chamfer Distance

We've already seen another shape comparison metric: **Chamfer distance** 

- Convert your prediction and ground-truth into pointclouds via sampling
- 2. Compare with Chamfer distance

$$d_{CD}(S_1, S_2) = \sum_{x \in S_1} \min_{y \in S_2} ||x - y||_2^2 + \sum_{y \in S_2} \min_{x \in S_1} ||x - y||_2^2$$

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# Shape Comparison Metrics: Chamfer Distance

We've already seen another shape comparison metric: Chamfer distance

- Convert your prediction and ground-truth into pointclouds via sampling
- 2. Compare with Chamfer distance

**Problem**: Chamfer is very sensitive to outliers



Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

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# Shape Comparison Metrics: F1 Score

Similar to Chamfer, sample points from the surface of the prediction and the ground-truth



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# Shape Comparison Metrics: F1 Score

Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some groundtruth point



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# Shape Comparison Metrics: F1 Score

Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some groundtruth point

Recall@t = fraction of ground-truth points within t of some predicted point



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# Shape Comparison Metrics: F1 Score

Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some groundtruth point

Recall@t = fraction of ground-truth points within t of some predicted point

F1@t = 2 \*  $\frac{Precision@t * Recall@t}{Precision@t+Recall@t}$ 

Precision@t = 3/4Recall@t = 2/3F1@t  $\approx 0.70$  Predicted Ground-truth

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# Shape Comparison Metrics: F1 Score

Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some groundtruth point

Recall@t = fraction of ground-truth points within t of some predicted point

F1@t = 2 \*  $\frac{Precision@t * Recall@t}{Precision@t+Recall@t}$ 

F1 score is robust to outliers!



**Conclusion**: F1 score is probably the best shape prediction metric in common use

Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

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# Shape Comparison Metrics: Summary

### **Intersection over Union:**

Doesn't capture fine structure, not meaningful at low values

### **Chamfer Distance**:

Very sensitive to outliers Can be directly optimized

### F1 score:

Robust to outliers, but need to look at different threshold values to capture details at different scales







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### 3D Shape Prediction



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## 3D Shape Prediction



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**Canonical Coordinates:** Predict 3D shape in a canonical coordinate system (e.g. front of chair is +z) regardless of the viewpoint of the input image



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**Canonical Coordinates:** Predict 3D shape in a canonical coordinate system (e.g. front of chair is +z) regardless of the viewpoint of the input image

**View Coordinates:** Predict 3D shape aligned to the viewpoint of the camera

Many papers predict in canonical coordinates – easier to load data



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**Problem**: Canonical view breaks the "principle of feature alignment": Predictions should be aligned to inputs

View coordinates maintain alignment between inputs and predictions!



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**Problem**: Canonical view overfits to training shapes: Better generalization to new views of known shapes Worse generalization to new shapes or new categories

# **Conclusion**: Prefer view coordinate system



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### **View-Centric Voxel Predictions**



**View-centric** predictions! Voxels take perspective camera into account, so our "voxels" are actually frustums

Gkioxari, Malik, and Johnson, "Mesh R-CNN", ICCV 2019

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## 3D Shape Prediction



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## 3D Shape Prediction



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# 3D Datasets: Object-Centric ShapeNet



Standard split has 13 categories, ~44k models, 25 rendered images per model

Many papers show results here

(-) Synthetic, isolated objects; no context(-) Lots of chairs, cars, airplanes

Chang et al, "ShapeNet: An Information-Rich 3D Model Repository", arXiv 2015 Choy et al, "3D-R2N2: A Unified Approach for Single and Multi-view 3D Object Reconstruction", ECCV 2016

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# 3D Datasets: Object-Centric

# ShapeNet



~50 categories, ~50k 3D CAD models

Standard split has 13 categories, ~44k models, 25 rendered images per model

Many papers show results here

(-) Synthetic, isolated objects; no context(-) Lots of chairs, cars, airplanes

Chang et al, "ShapeNet: An Information-Rich 3D Model Repository", arXiv 2015 Choy et al, "3D-R2N2: A Unified Approach for Single and Multi-view 3D Object Reconstruction", ECCV 2016 Pix3D



9 categories, 219 3D models of IKEA furniture aligned to ~17k real images

Some papers train on ShapeNet and show qualitative results here, but use ground-truth segmentation masks

### (+) Real images! Context!

(-) Small, partial annotations – only 1 obj/image

Sun et al, "Pix3D: Dataset and Methods for Single-Image 3D Shape Modeling", CVPR 2018

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# 3D Shape Prediction: Mesh R-CNN

### Mask R-CNN: 2D Image -> 2D shapes



Mesh R-CNN:

### 2D Image -> Triangle Meshes

bookcase chair chair

Gkioxari, Malik, and Johnson, "Mesh R-CNN", ICCV 2019

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He, Gkioxari, Dollár, and Girshick, "Mask R-CNN",

**ICCV 2017** 

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# Mesh R-CNN: Task

Input: Single RGB image

### Output:

- A set of detected objects For each object:
  - Bounding box
  - Category label
  - Instance segmentation
  - 3D triangle mesh



### Mask R-CNN

Mesh head

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## Mesh R-CNN: Hybrid 3D shape representation

Mesh deformation gives good results, but the topology (verts, faces, genus, connected components) fixed by the initial mesh



# Mesh R-CNN: Hybrid 3D shape representation

Mesh deformation gives good results, but the topology (verts, faces, genus, connected components) fixed by the initial mesh



**Our approach**: Use voxel predictions to create initial mesh prediction!



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### Input image





### Input image



### 2D object recognition



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### Input image



### 2D object recognition





### 3D object voxels

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### Input image





### 3D object meshes

### 2D object recognition







### 3D object voxels

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# Mesh R-CNN: ShapeNet Results



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### Mesh R-CNN: Shape Regularizers



Using Chamfer as only mesh loss gives degenerate meshes. Also need "mesh regularizer" to encourage nice predictions:  $L_{edge} = minimize L2 norm of$ edges in the predicted mesh

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### Predicting many objects per scene





### **Box & Mask Predictions**

**Mesh Predictions** 

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# Amodal completion: predict occluded parts of objects



### **Box & Mask Predictions**

**Mesh Predictions** 

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Segmentation failures propagate to meshes



### **Box & Mask Predictions**

**Mesh Predictions** 

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### 

### **3D Shape Representations**



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# Next Time: Videos

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