

Lecture 22: Light and shading

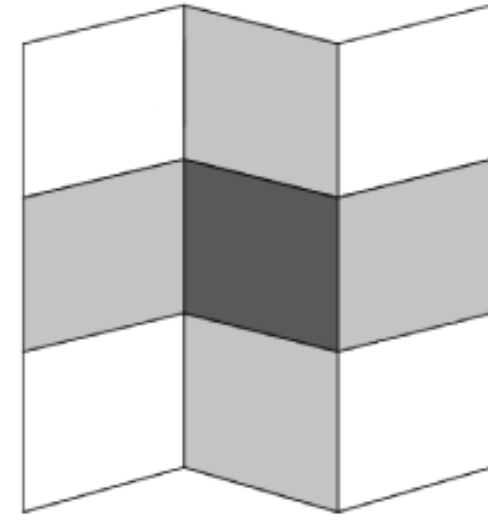
Announcements

- PS10 out
- 2nd-to-last lecture on low-level vision.
- Rest of course: recent vision topics.

Many interpretations of color!

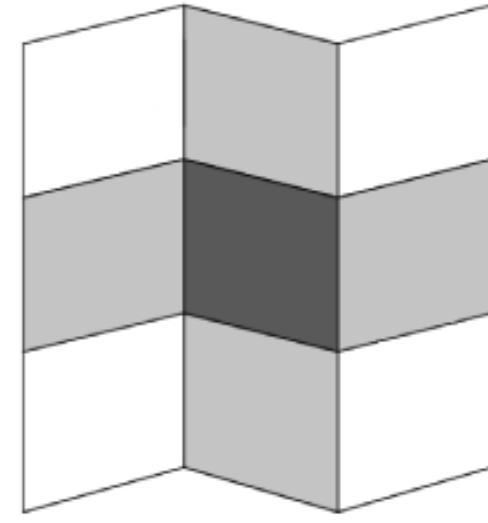


The Workshop Metaphor

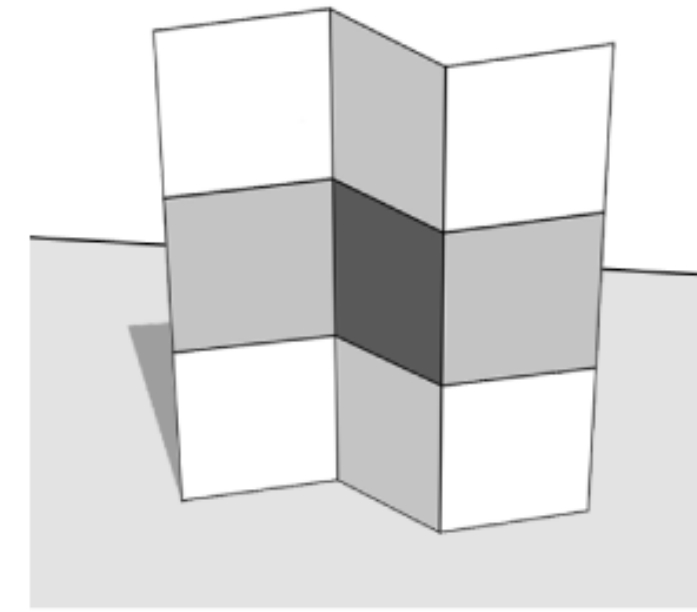


(a) an image

The Workshop Metaphor

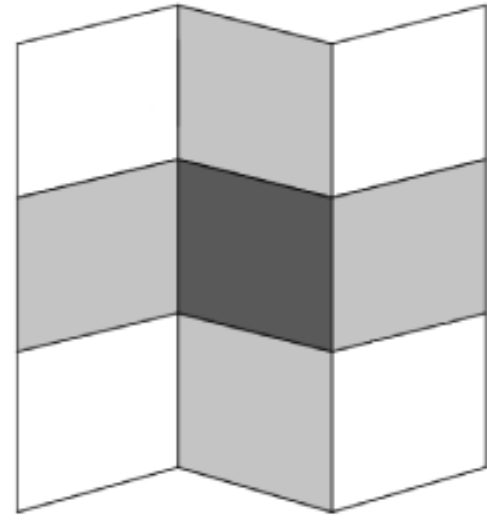


(a) an image

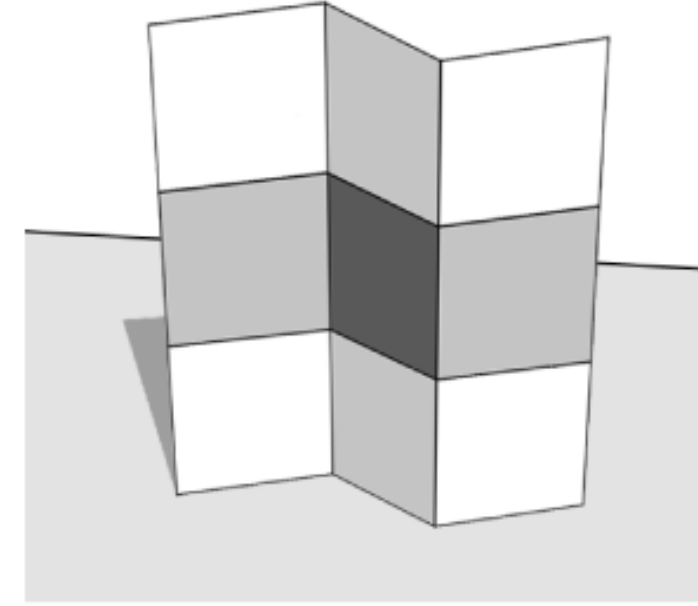


(b) a likely explanation

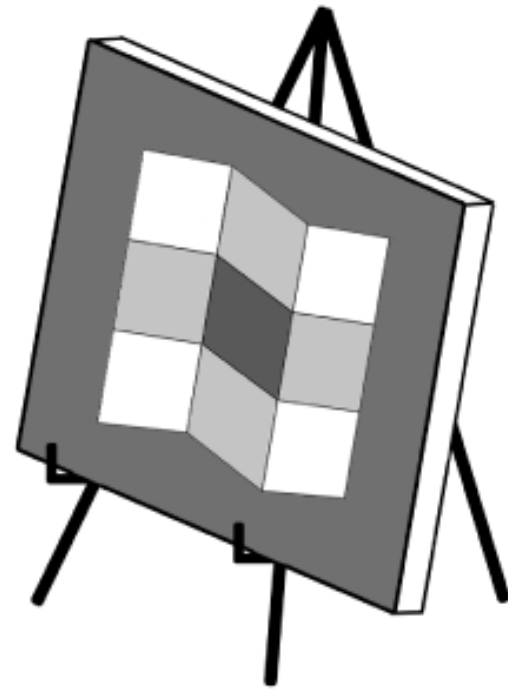
The Workshop Metaphor



(a) an image

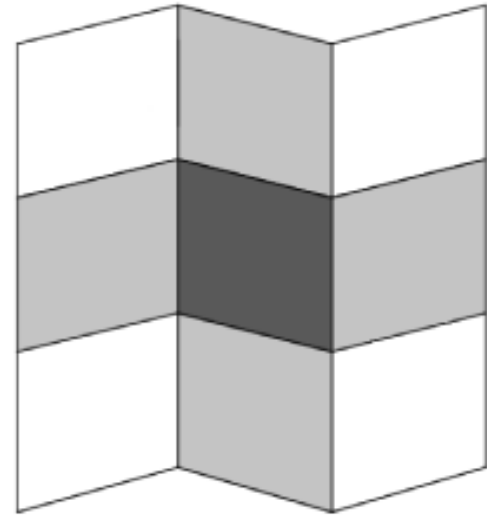


(b) a likely explanation

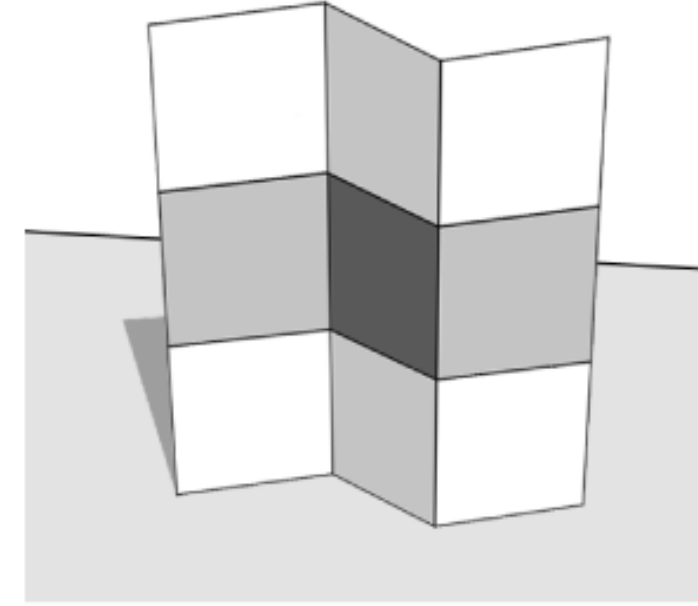


(c) painter's explanation

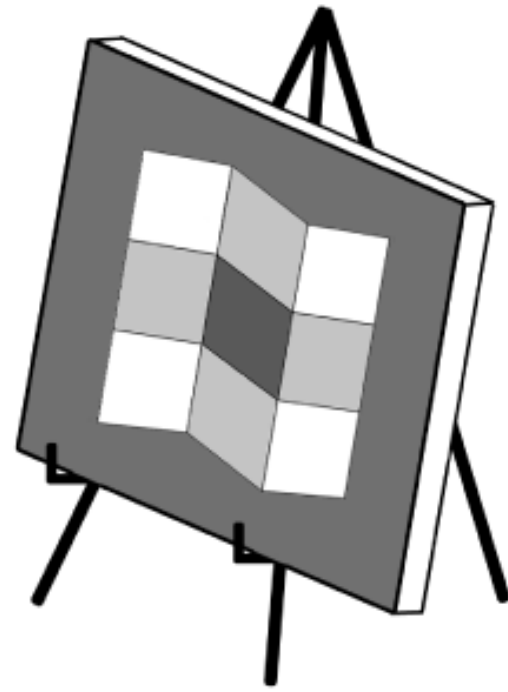
The Workshop Metaphor



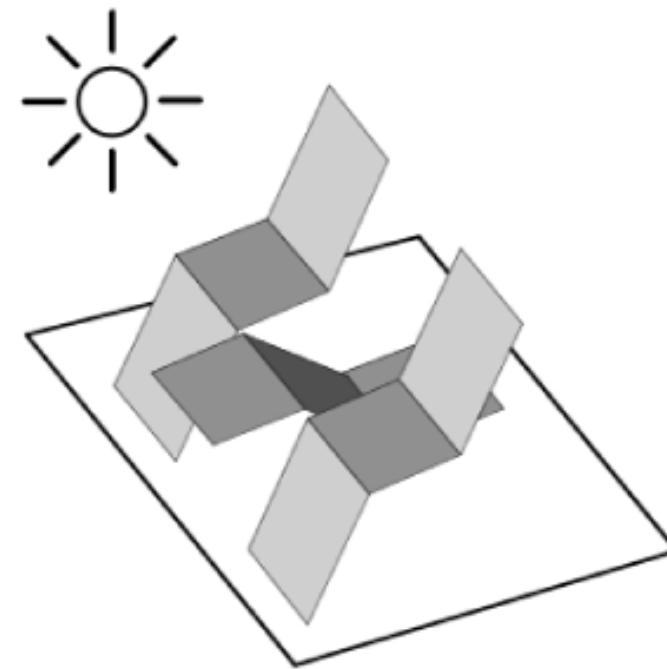
(a) an image



(b) a likely explanation



(c) painter's explanation

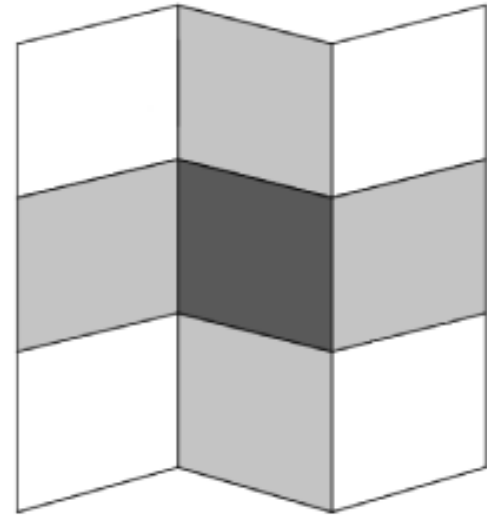


(d) sculptor's explanation

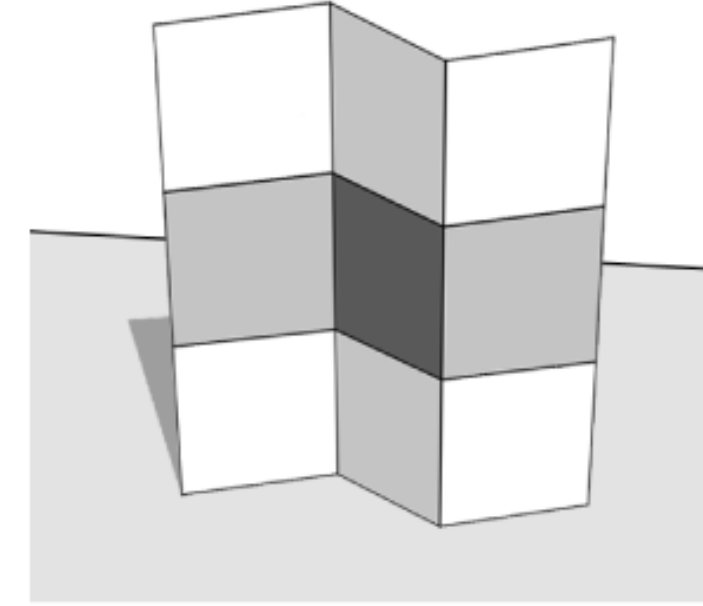
E. Adelson and A. Pentland, "The perception of shading and reflectance," *Perception as Bayesian inference*, 1996.

Source: J. Barron

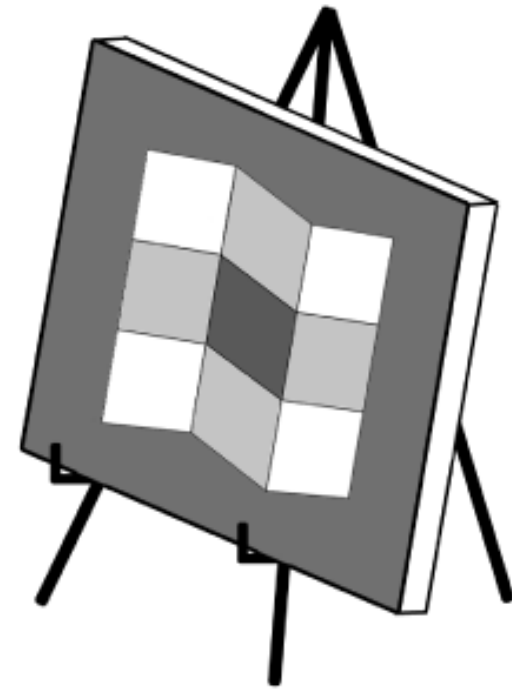
The Workshop Metaphor



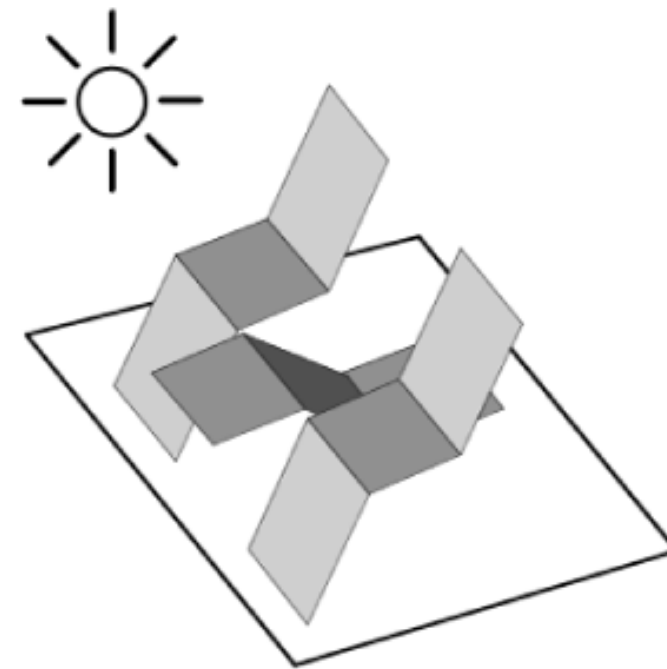
(a) an image



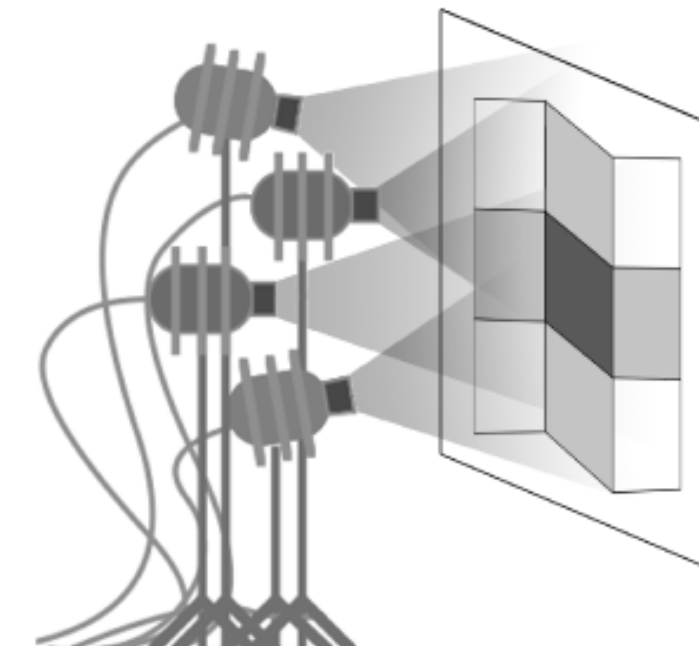
(b) a likely explanation



(c) painter's explanation



(d) sculptor's explanation



(e) gaffer's explanation

E. Adelson and A. Pentland, "The perception of shading and reflectance," *Perception as Bayesian inference*, 1996.

Today

- Light and surfaces
- Shape from shading
- Photometric stereo
- Intrinsic image decomposition

Recall: interaction of light and surfaces

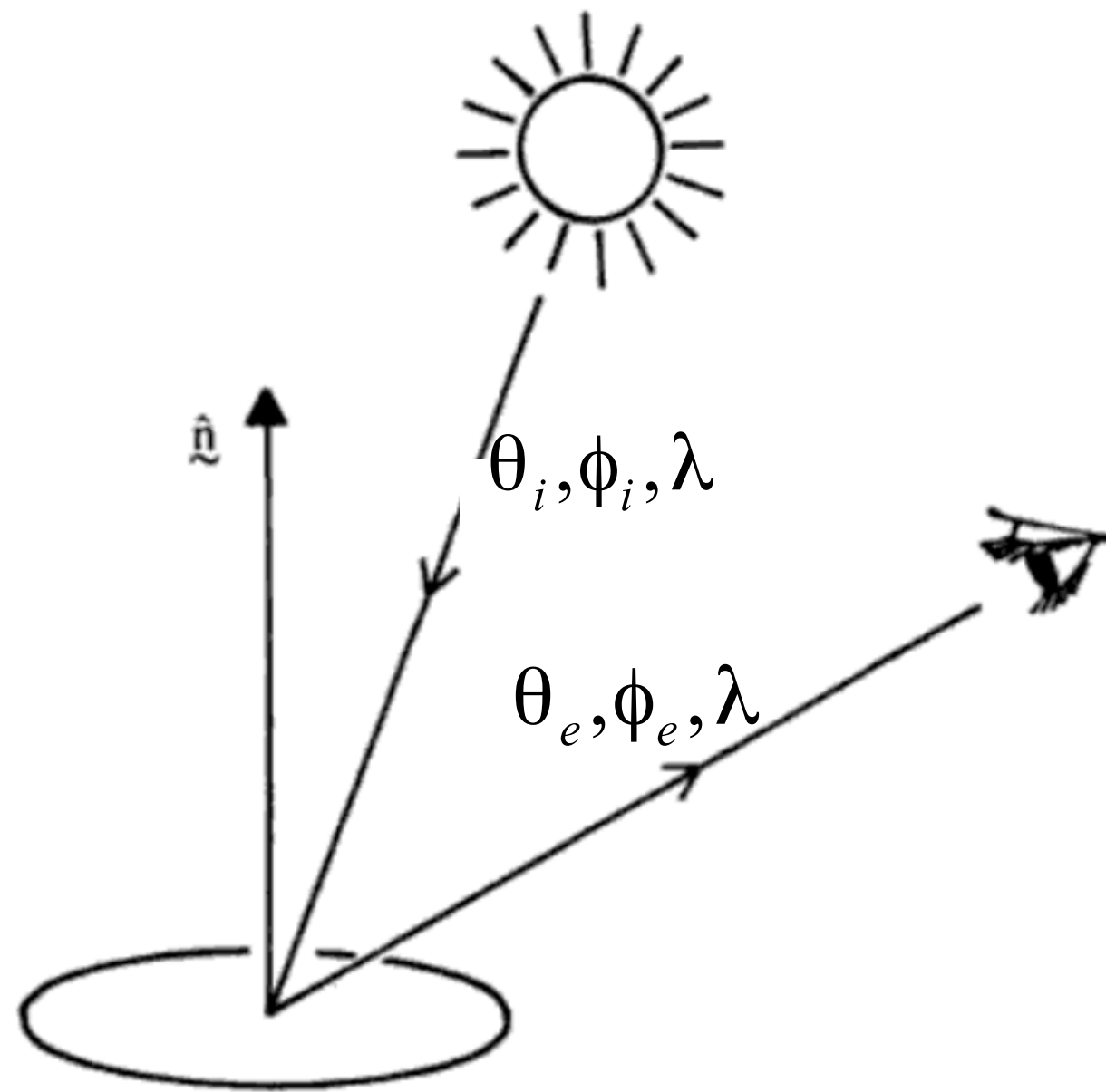


Figure 10-7. The bidirectional reflectance distribution function is the ratio of the radiance of the surface patch as viewed from the direction (θ_e, ϕ_e) to the irradiance resulting from illumination from the direction (θ_i, ϕ_i) .

[Horn, 1986]

Spectral radiance: power in a specified direction, per unit area, per unit solid angle, per unit wavelength.

$$BRDF = f(\theta_i, \phi_i, \theta_e, \phi_e, \lambda) = \frac{L(\theta_e, \phi_e, \lambda)}{E(\theta_i, \phi_i, \lambda)}$$

Spectral irradiance: incident power per unit area, per unit wavelength

For now, ignore specular reflection



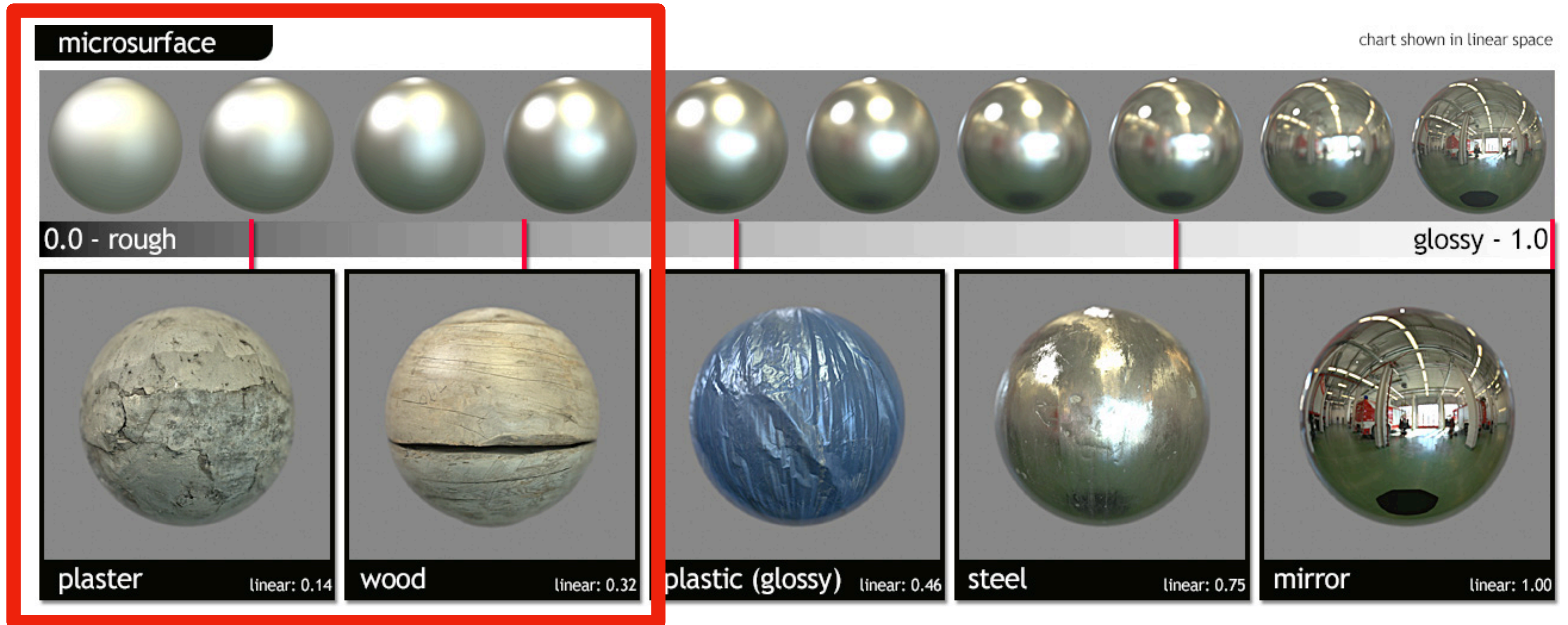
And Refraction...



And Interreflections...

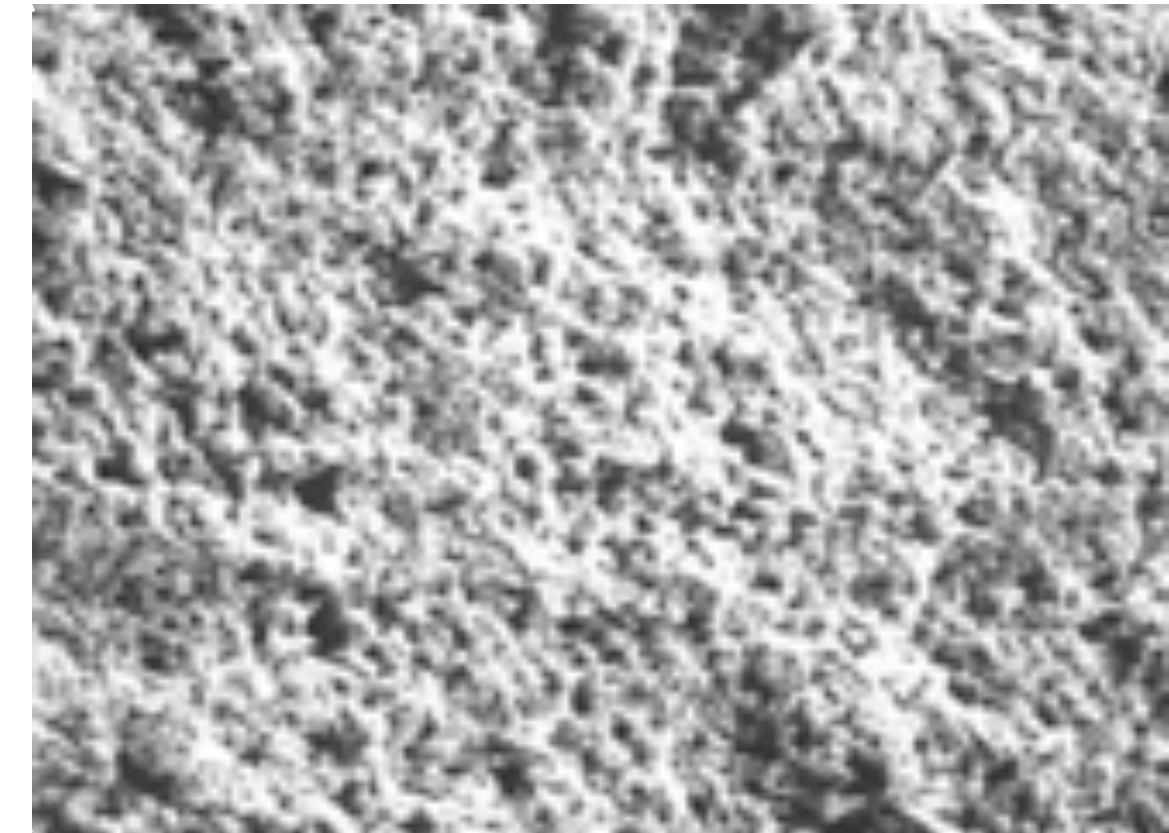
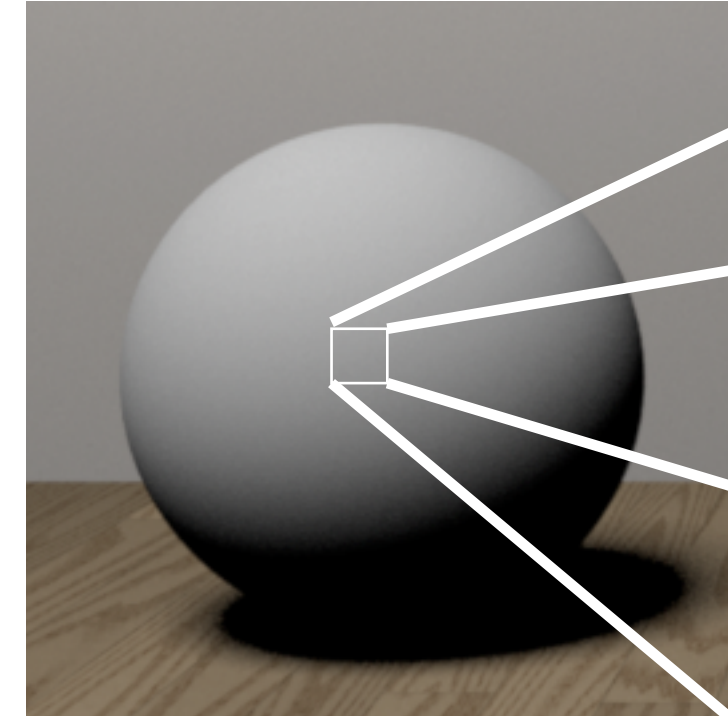
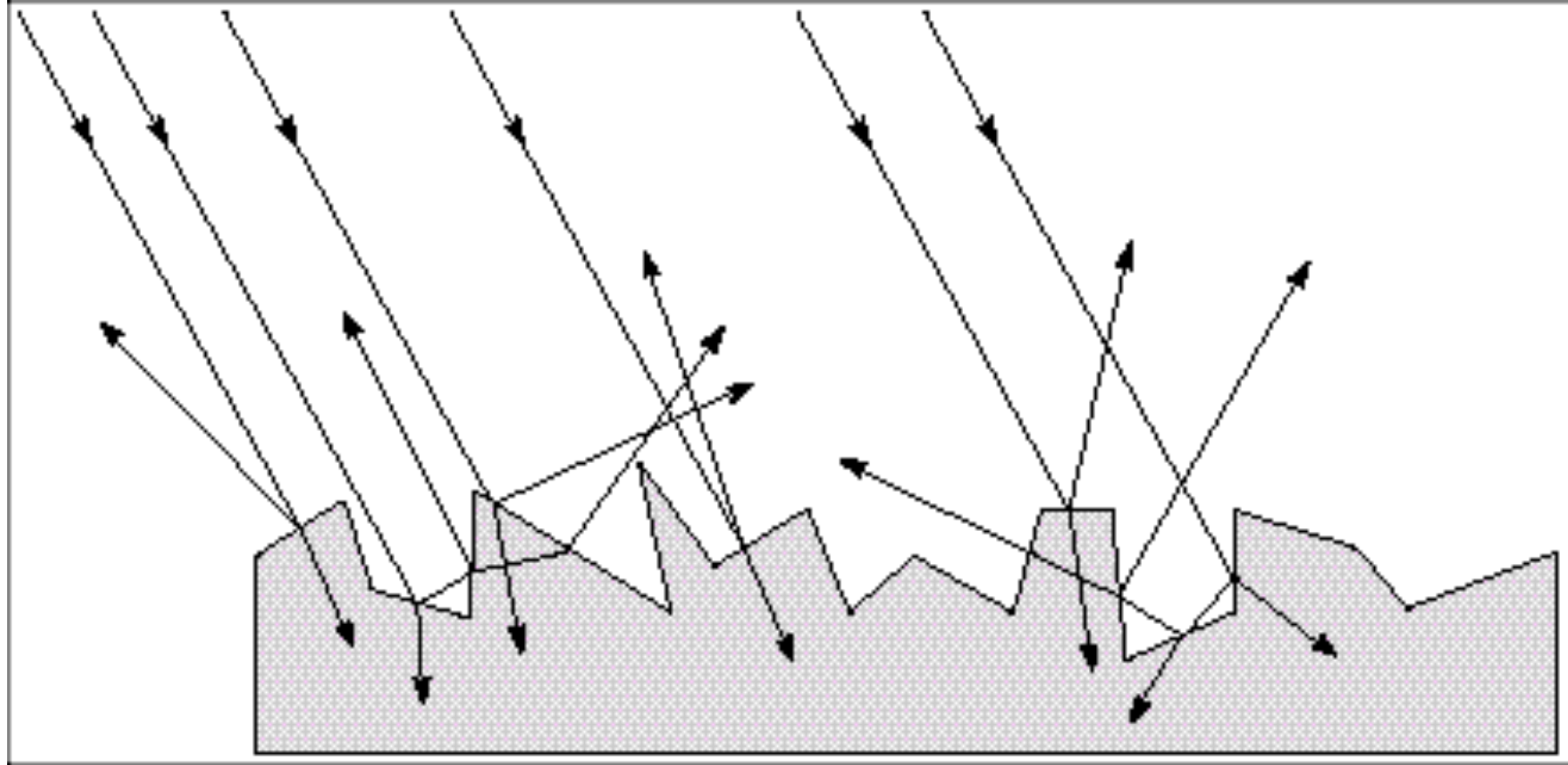


Recall: effect of BRDF on sphere rendering



Diffuse/Lambertian reflection

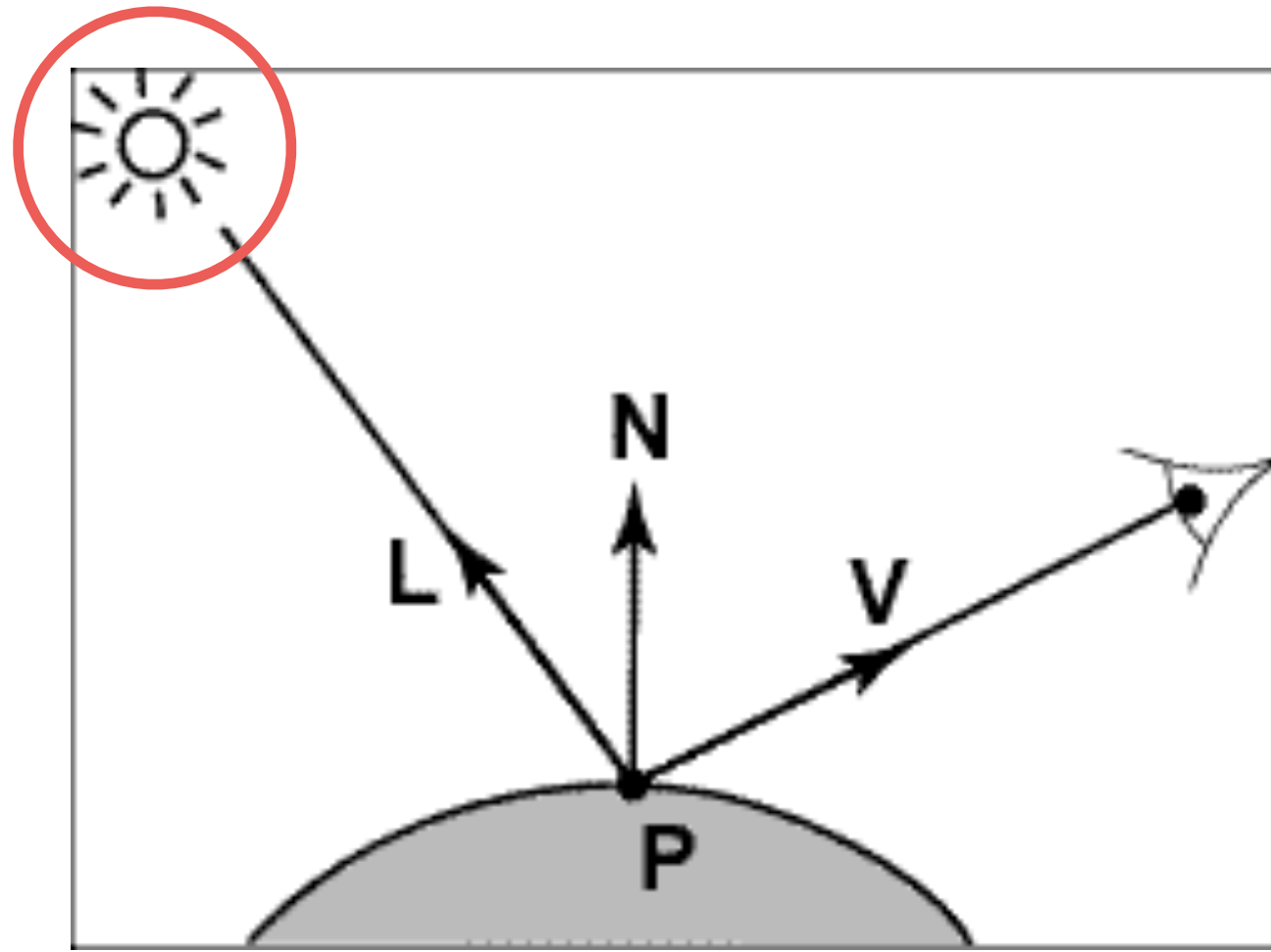
Diffuse reflection



Diffuse reflection

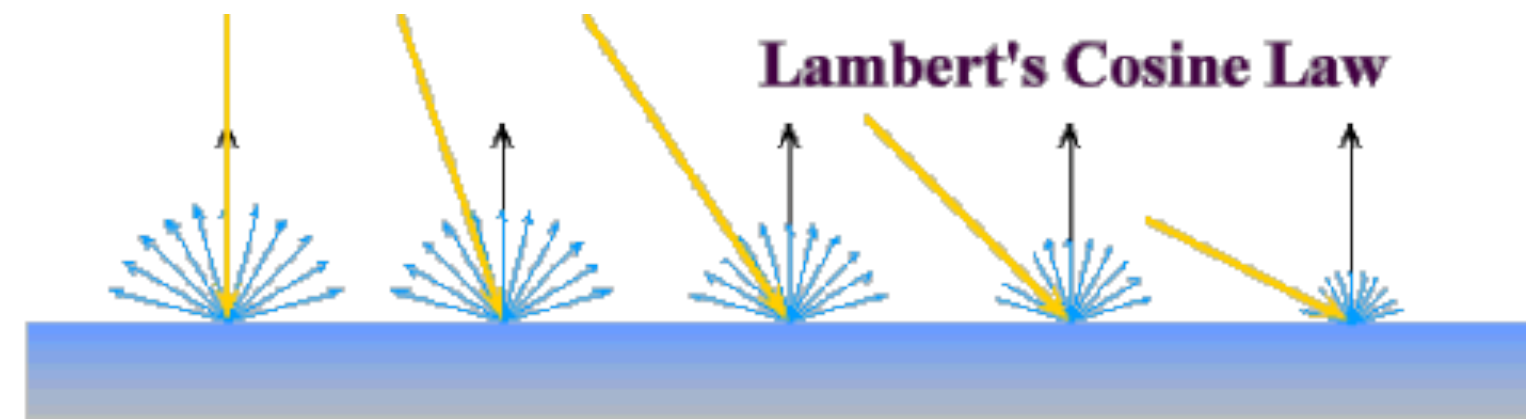
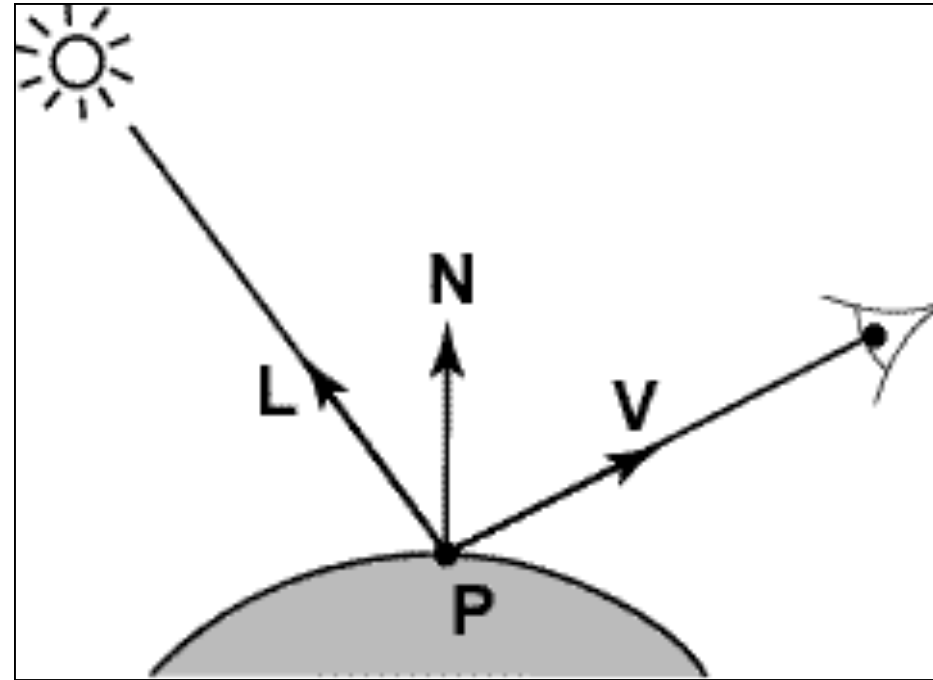
- Dull, matte surfaces like chalk or latex paint
- Microfacets scatter incoming light randomly
- Effect is that light is reflected equally in all directions

Directional lighting



- All rays are parallel
- Equivalent to an infinitely distant point source

Diffuse reflection



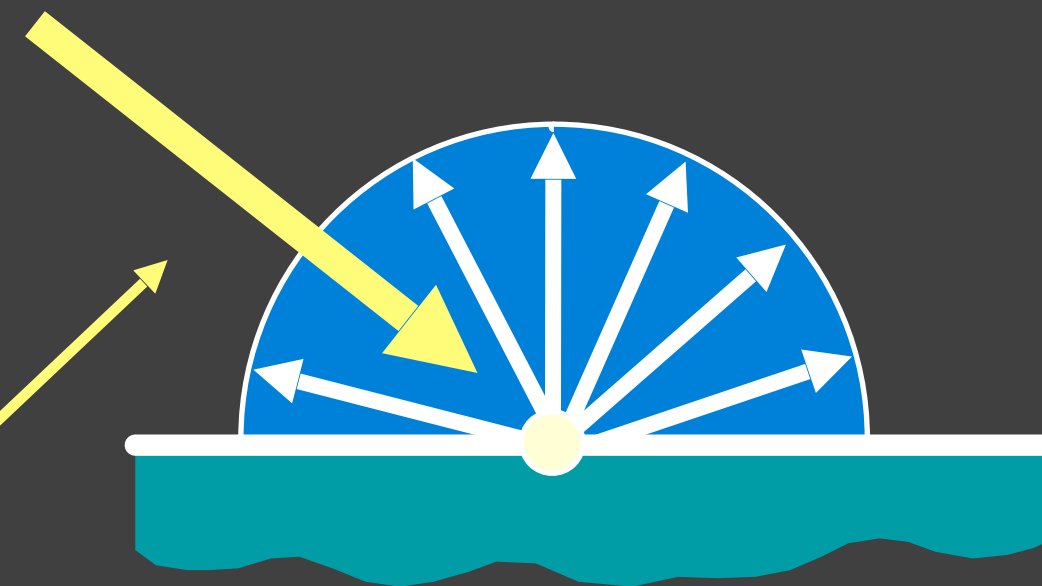
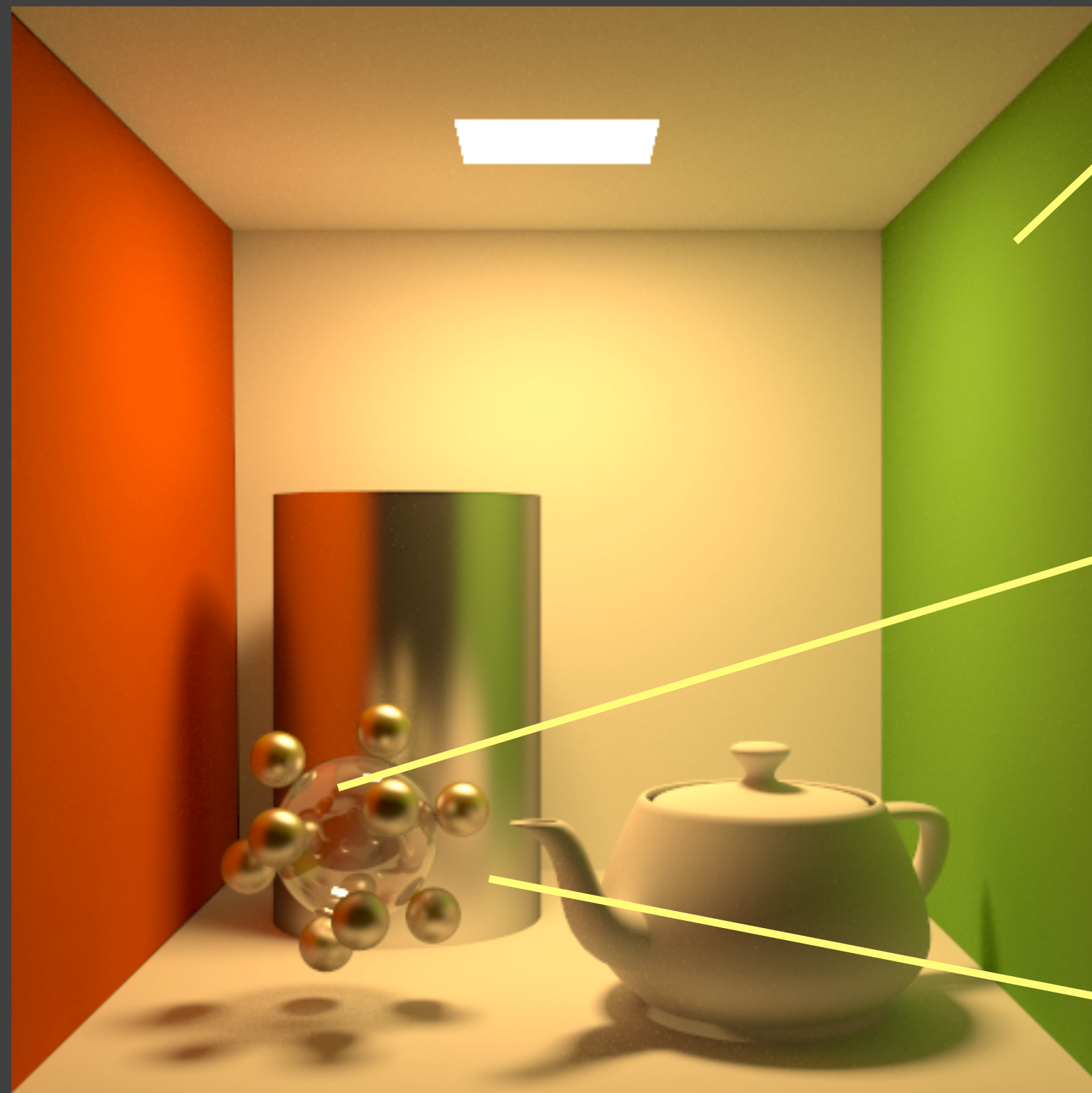
$$R_e = k_d \mathbf{N} \cdot \mathbf{L} R_i$$

image intensity of \mathbf{P} $\longrightarrow I = k_d \mathbf{N} \cdot \mathbf{L}$

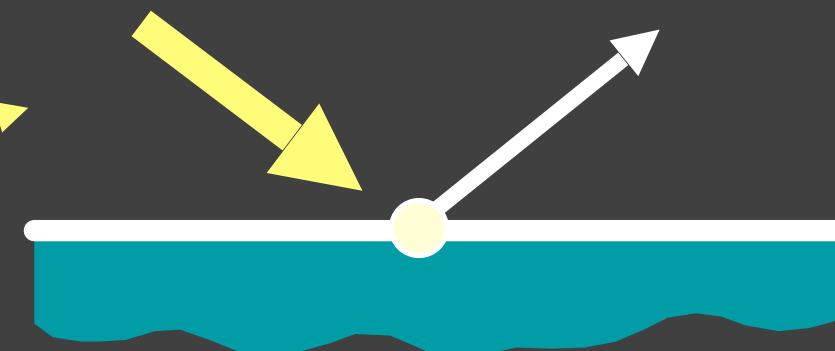
Simplifying assumptions we'll often make:

- $I = R_e$: “camera response function” is the identity
 - can always achieve this in practice by inverting it
- $R_i = 1$: light source intensity is 1
 - can achieve this by dividing each pixel in the image by R_i

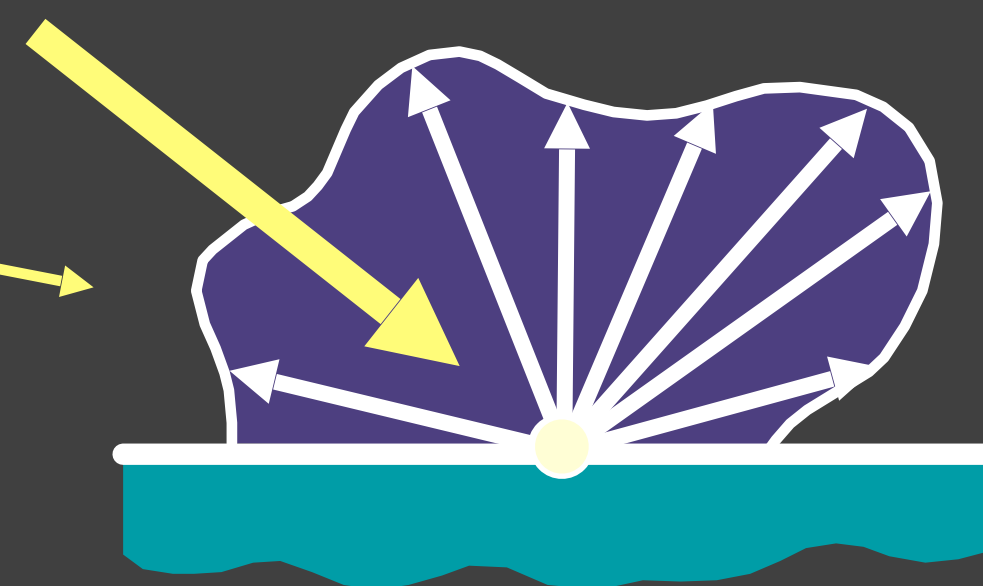
Other BRDFs



Ideal diffuse
(Lambertian)

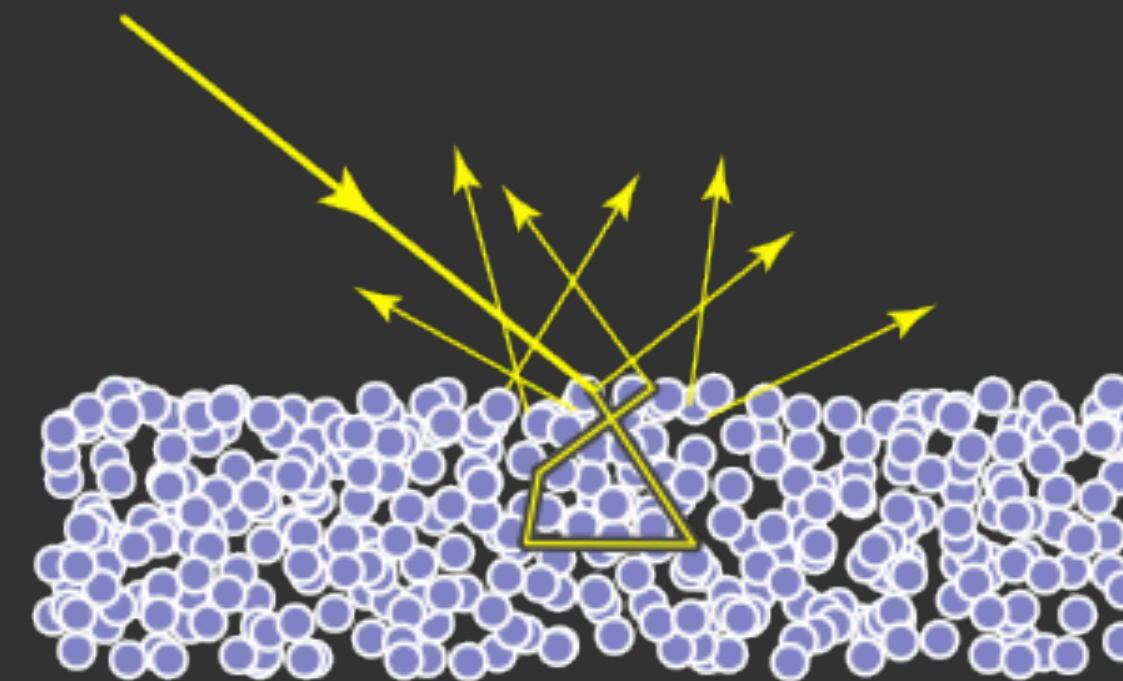
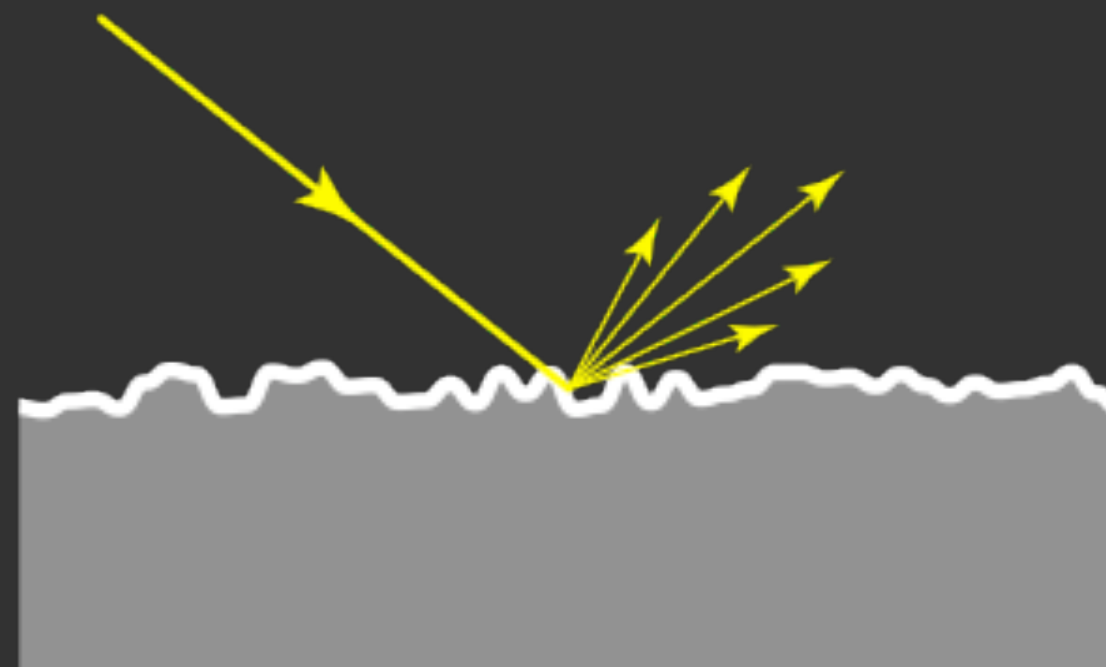


Ideal
specular



Directional
diffuse

Non-smooth-surfaced materials



19

from Steve Marschner

Shape from shading



$$I = k_d \mathbf{N} \cdot \mathbf{L}$$

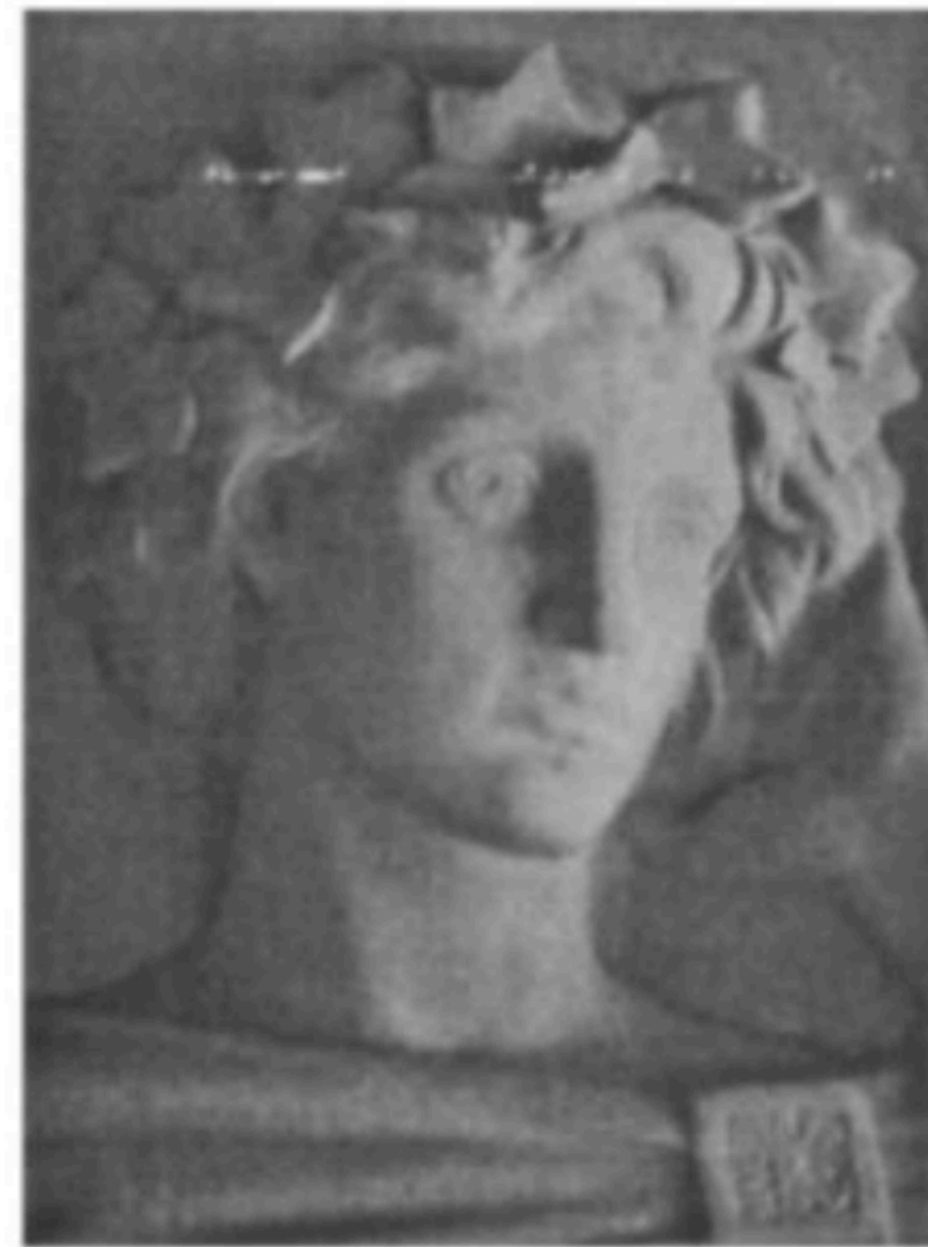
Assume k_d is 1 for now.

What can we measure from one image?

- $\cos^{-1}(I)$ is the angle between \mathbf{N} and \mathbf{L}
- Add assumptions:
 - Constant albedo
 - A few known normals (e.g. silhouettes)
 - Smoothness of normals

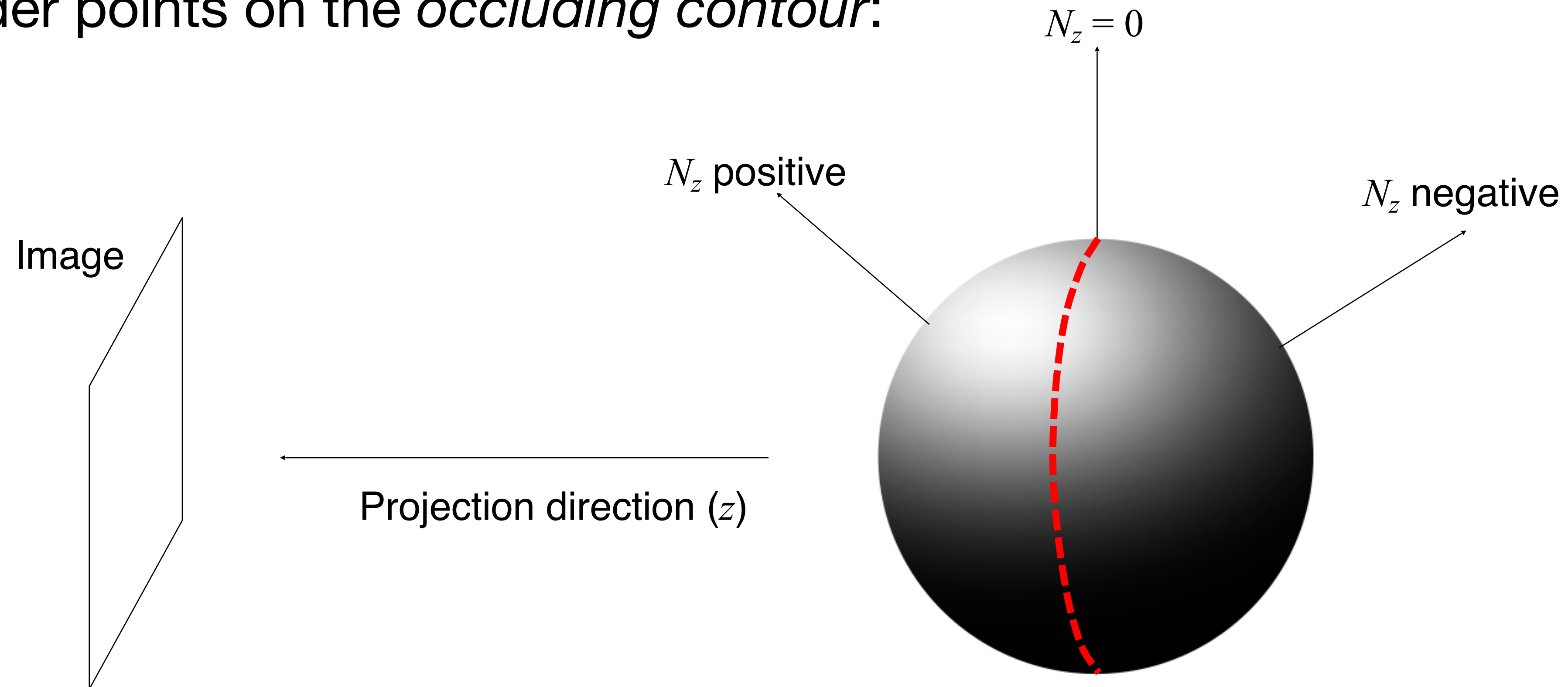
In practice, SFS doesn't work very well: assumptions are too restrictive, too much ambiguity in nontrivial scenes.

An ambiguity that artists exploit!



Contours provide extra shape information

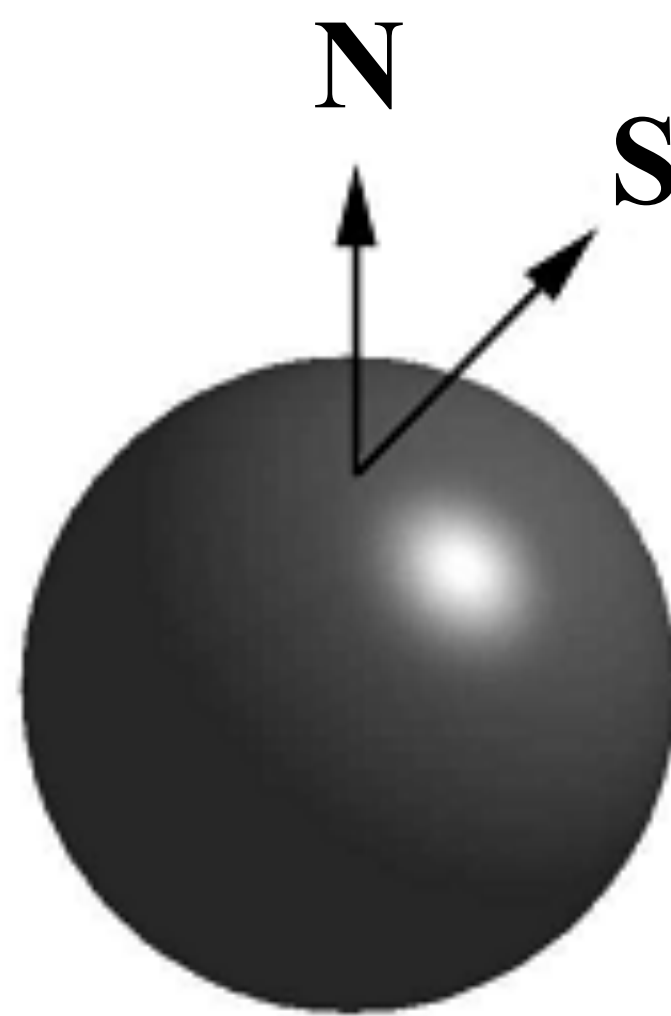
Consider points on the *occluding contour*:



Application: finding the direction of the light source

$$I(x,y) = \mathbf{N}(x,y) \cdot \mathbf{S}(x,y)$$

Full 3D case:



$$\begin{pmatrix} N_x(x_1, y_1) & N_y(x_1, y_1) & N_z(x_1, y_1) \\ N_x(x_2, y_2) & N_y(x_2, y_2) & N_z(x_2, y_2) \\ \vdots & \vdots & \vdots \\ N_x(x_n, y_n) & N_y(x_n, y_n) & N_z(x_n, y_n) \end{pmatrix} \begin{pmatrix} S_x \\ S_y \\ S_z \end{pmatrix} = \begin{pmatrix} I(x_1, y_1) \\ I(x_2, y_2) \\ \vdots \\ I(x_n, y_n) \end{pmatrix}$$

For points on the occluding contour, $N_z = 0$:

$$\begin{pmatrix} N_x(x_1, y_1) & N_y(x_1, y_1) \\ N_x(x_2, y_2) & N_y(x_2, y_2) \\ \vdots & \vdots \\ N_x(x_n, y_n) & N_y(x_n, y_n) \end{pmatrix} \begin{pmatrix} S_x \\ S_y \end{pmatrix} = \begin{pmatrix} I(x_1, y_1) \\ I(x_2, y_2) \\ \vdots \\ I(x_n, y_n) \end{pmatrix}$$

Finding the direction of the light source



Application: Detecting composite photos

Real photo



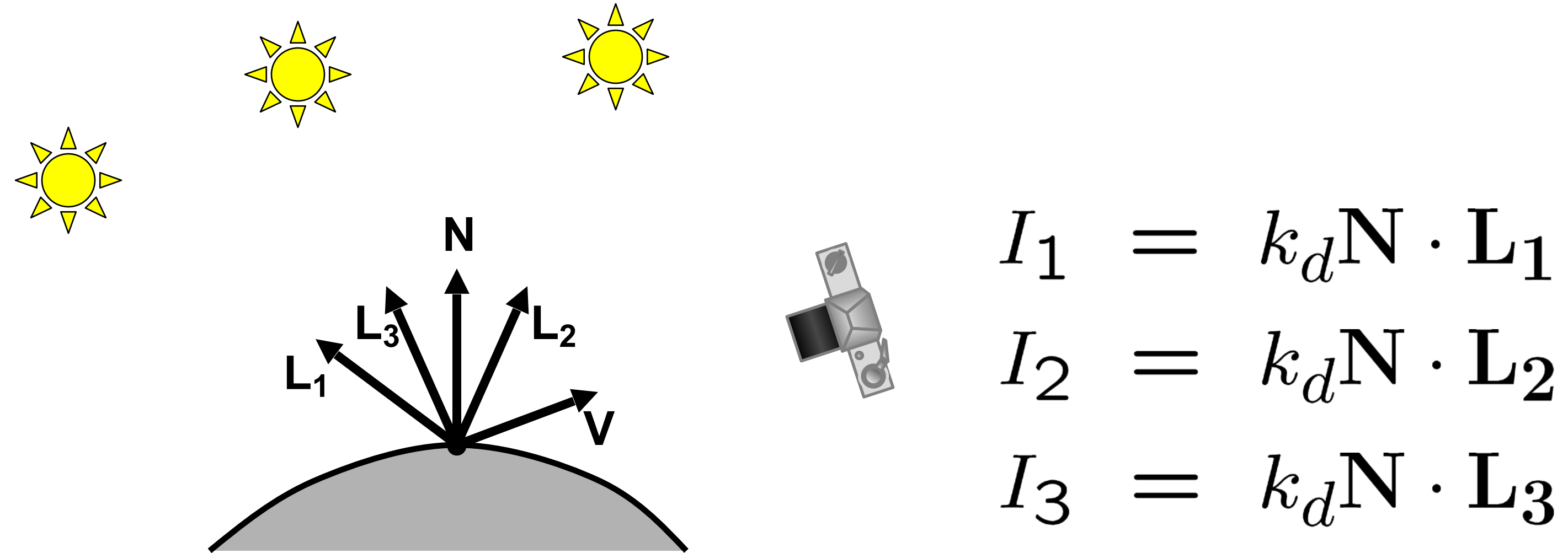
Fake photo



Photometric stereo



Photometric stereo



Can write this as a linear system, and solve:

$$\begin{bmatrix} I_1 \\ I_2 \\ I_3 \end{bmatrix} = k_d \begin{bmatrix} \mathbf{L}_1^T \\ \mathbf{L}_2^T \\ \mathbf{L}_3^T \end{bmatrix} \mathbf{N}$$

Photometric Stereo

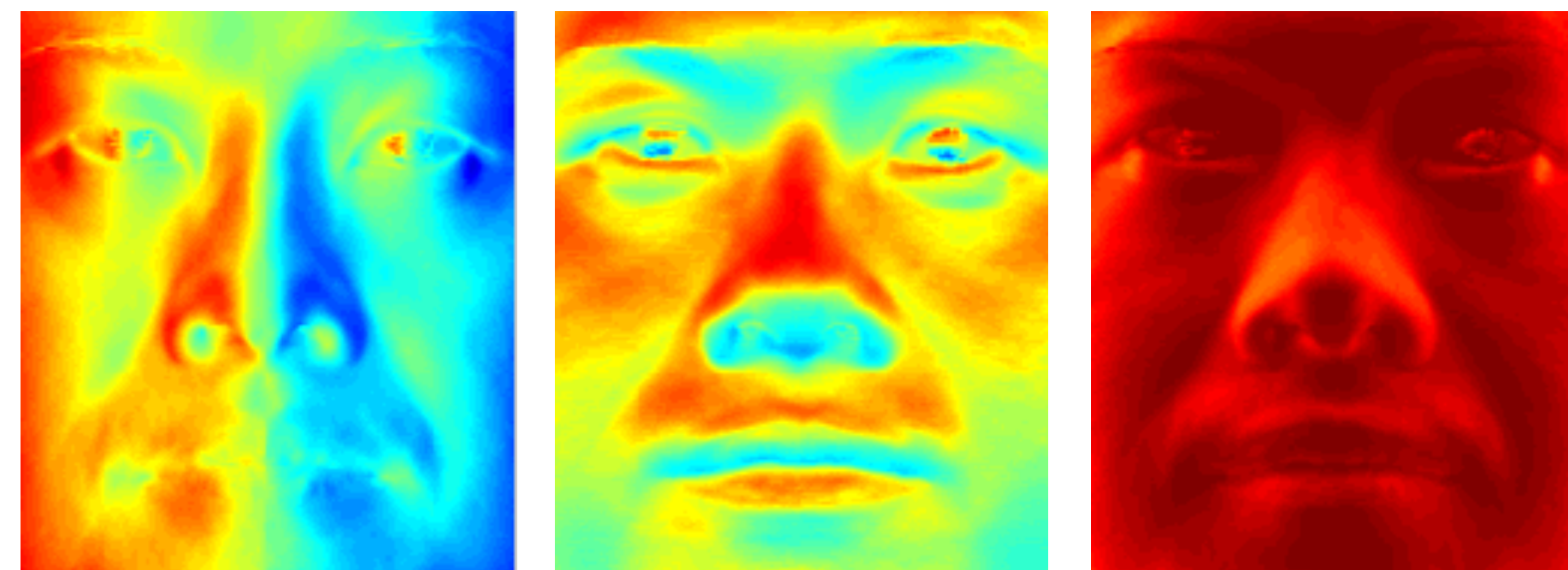
Input



Recovered
albedo



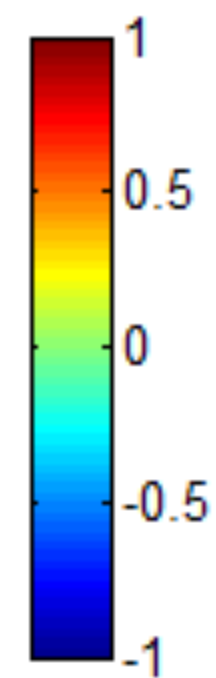
Recovered normal field



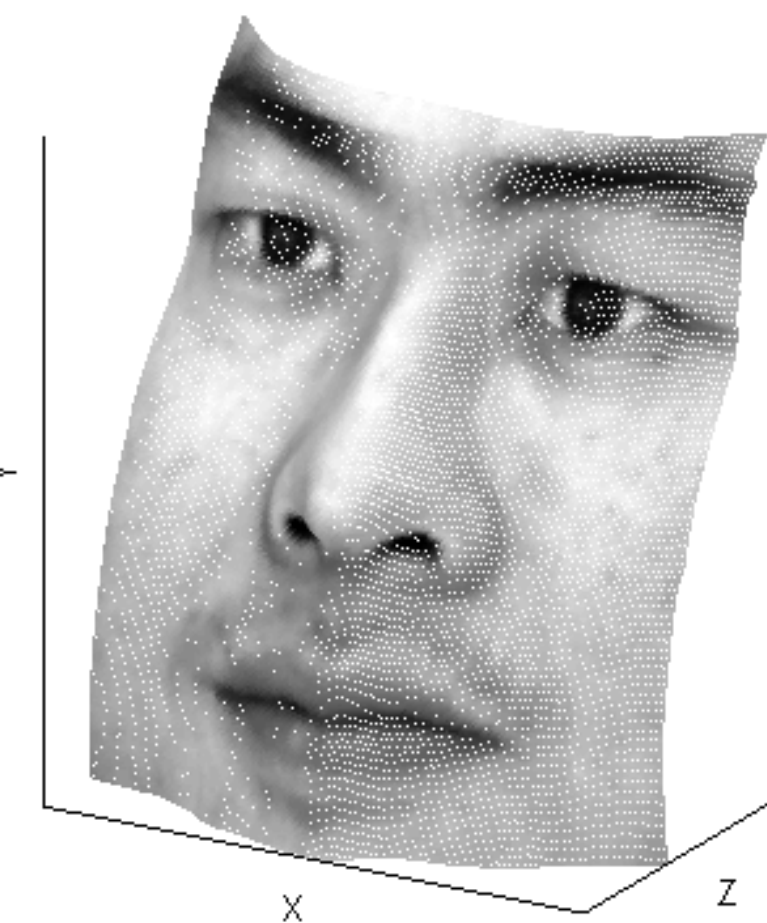
x

y

z



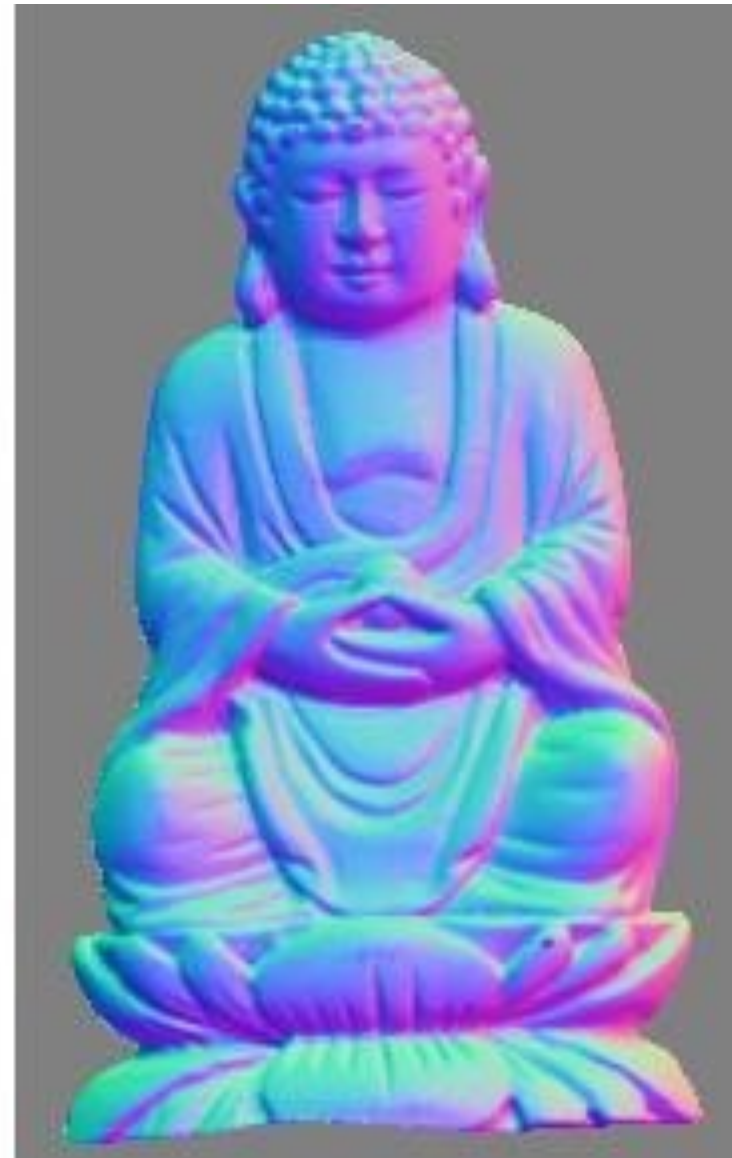
Recovered
surface model



Photometric Stereo



Input
(1 of 12)



Normals (RGB
colormap)



Normals (vectors)



Shaded 3D
rendering



Textured 3D
rendering

Video photometric stereo

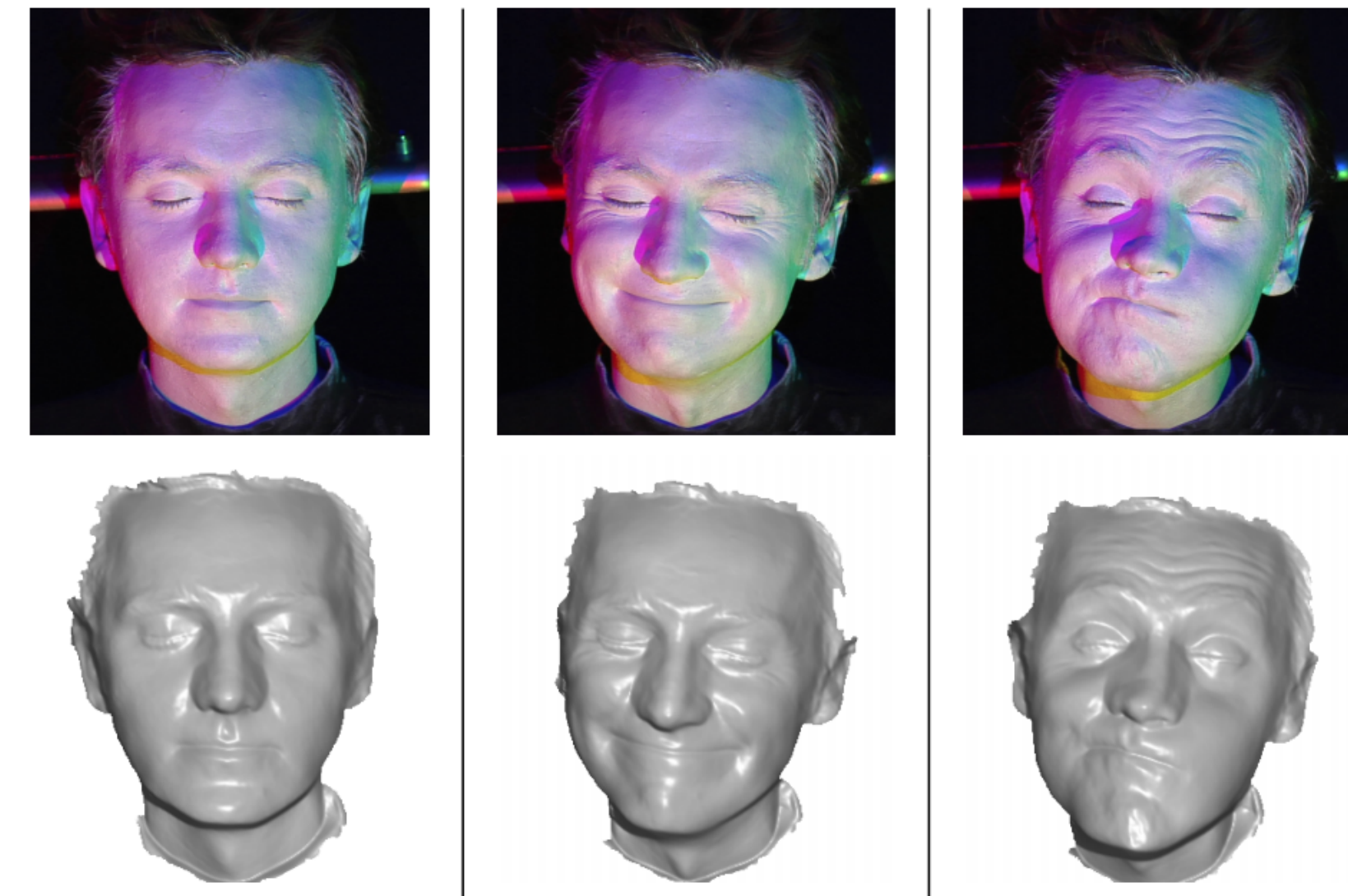
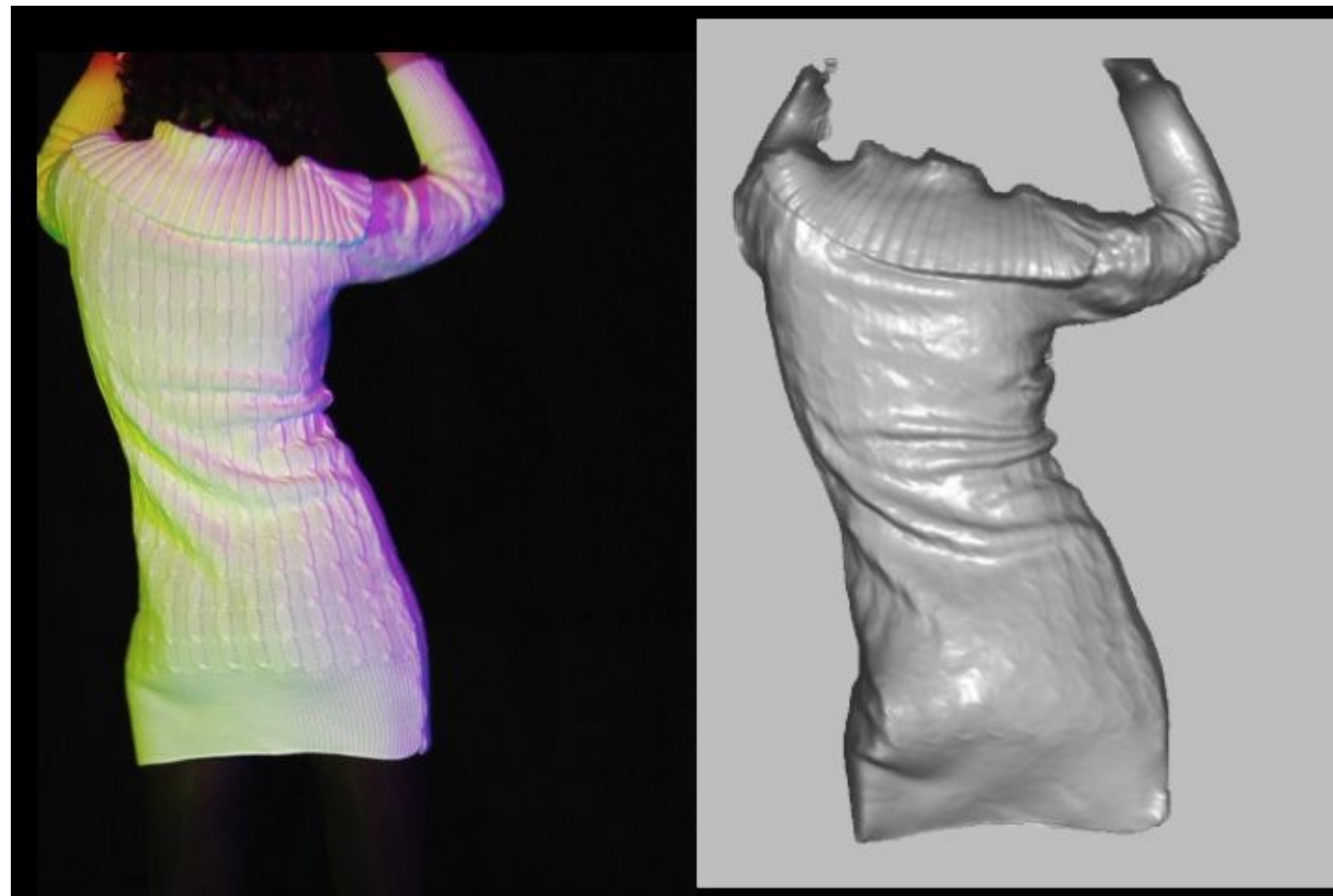
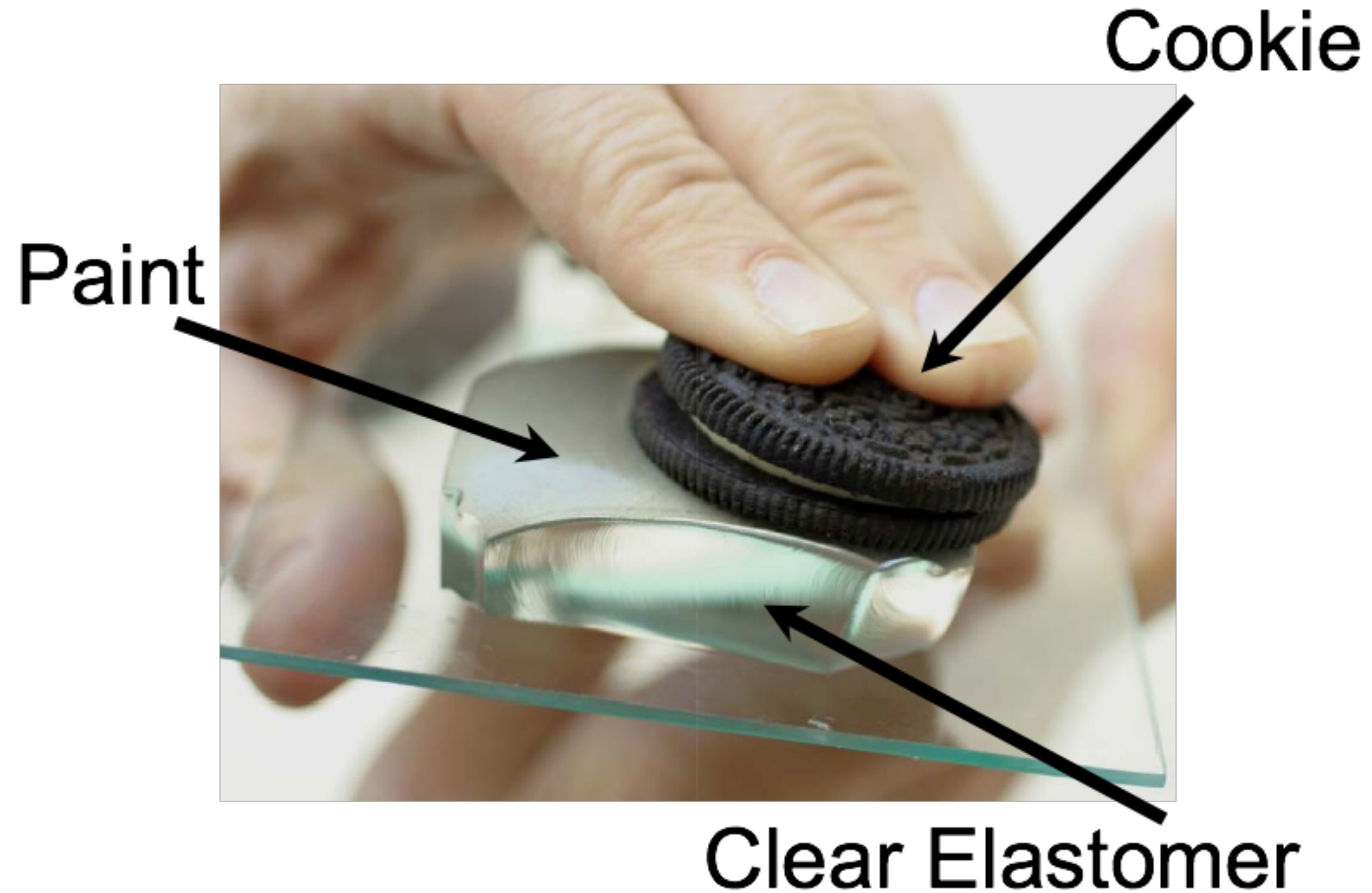


Fig. 2. Applying the original algorithm to a face with white makeup. Top: example input frames from video of an actor smiling and grimacing. Bottom: the resulting integrated surfaces.

Video Normals from Colored Lights

Gabriel J. Brostow, Carlos Hernández, George Vogiatzis, Björn Stenger, Roberto Cipolla
[IEEE TPAMI](#), Vol. 33, No. 10, pages 2104-2114, October 2011.

But what if we don't know the BRDF?



[Johnson and Adelson, 2009]



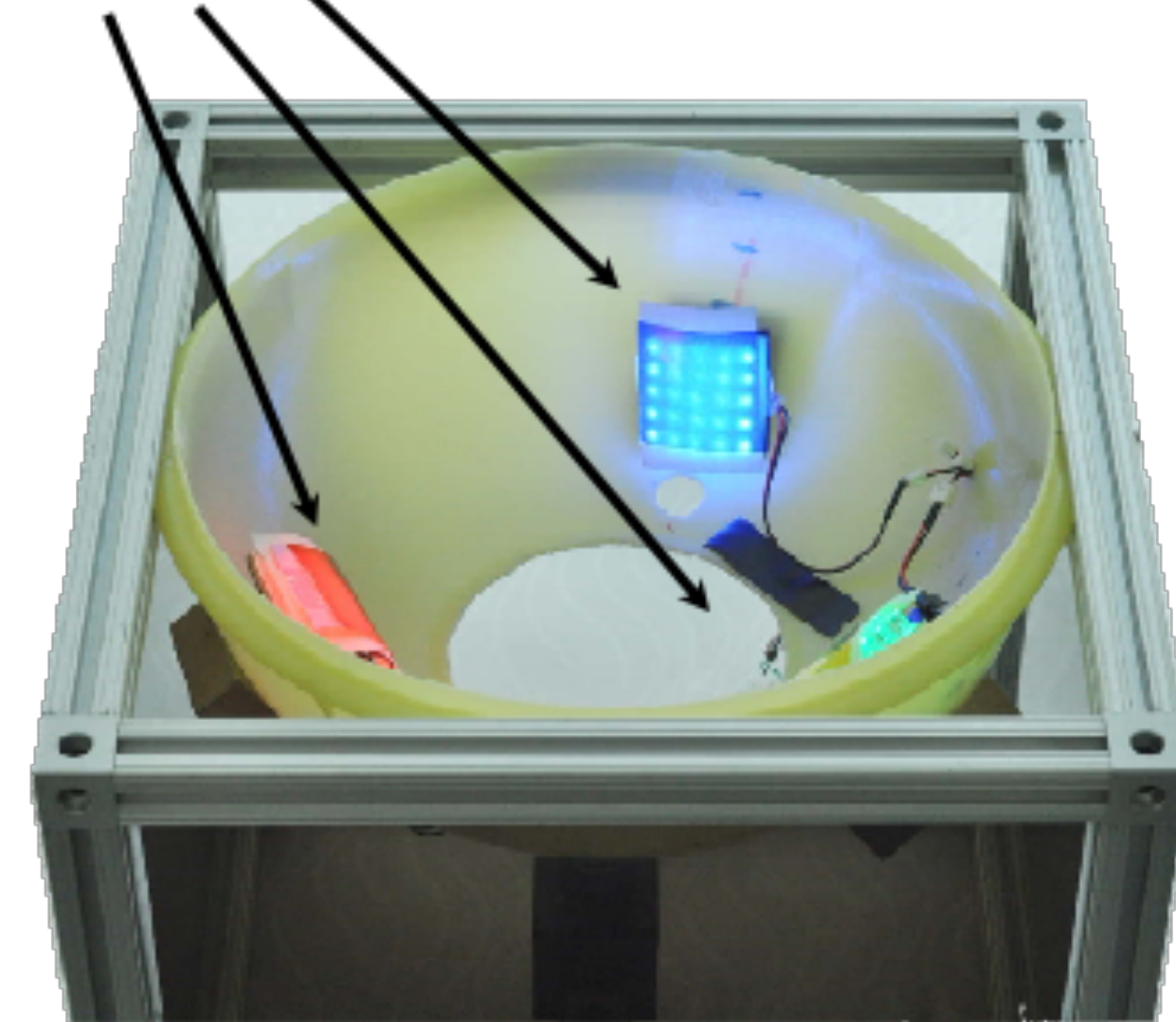


Lights, camera, action

Sensor



Lights



Camera



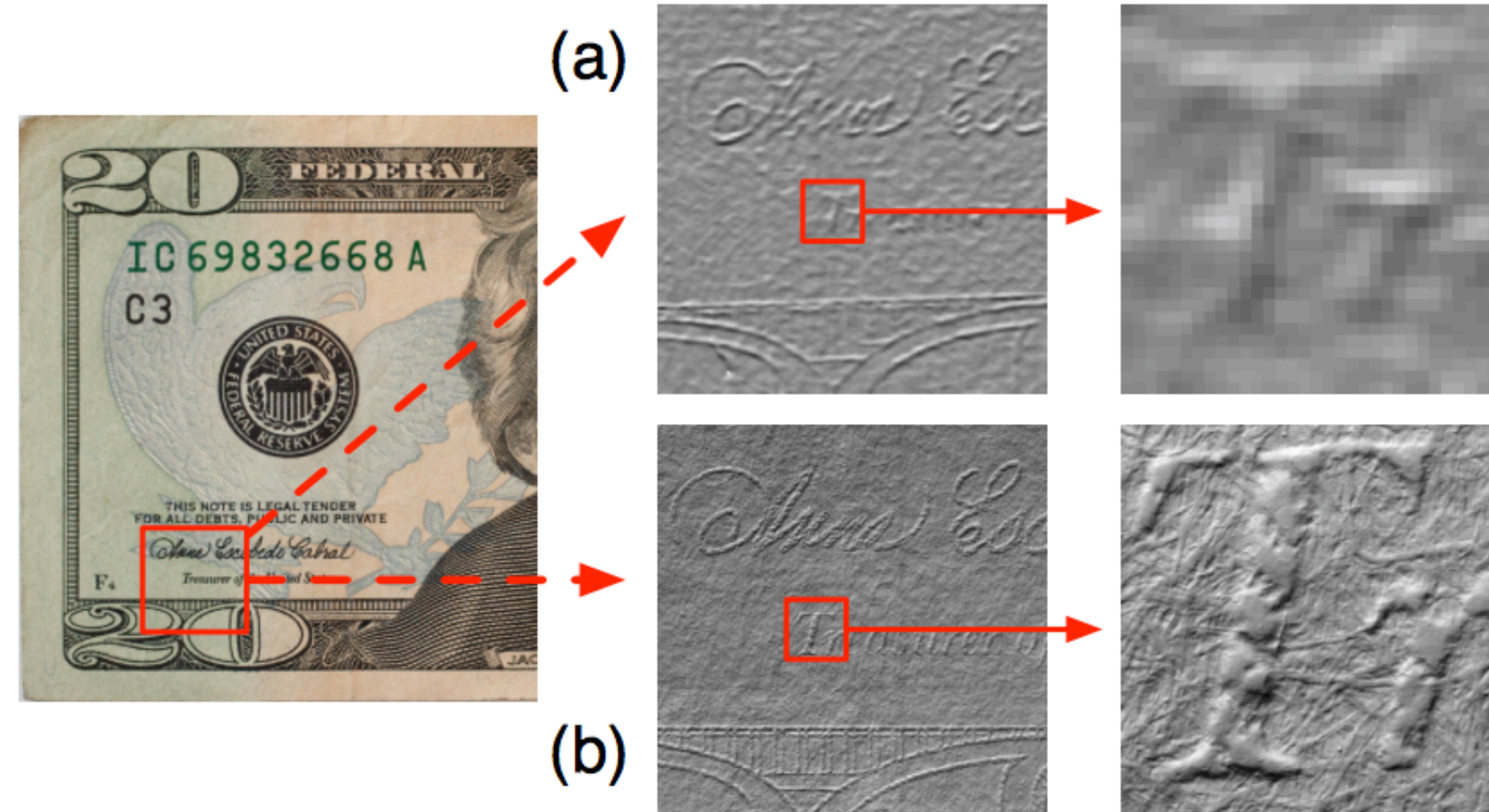
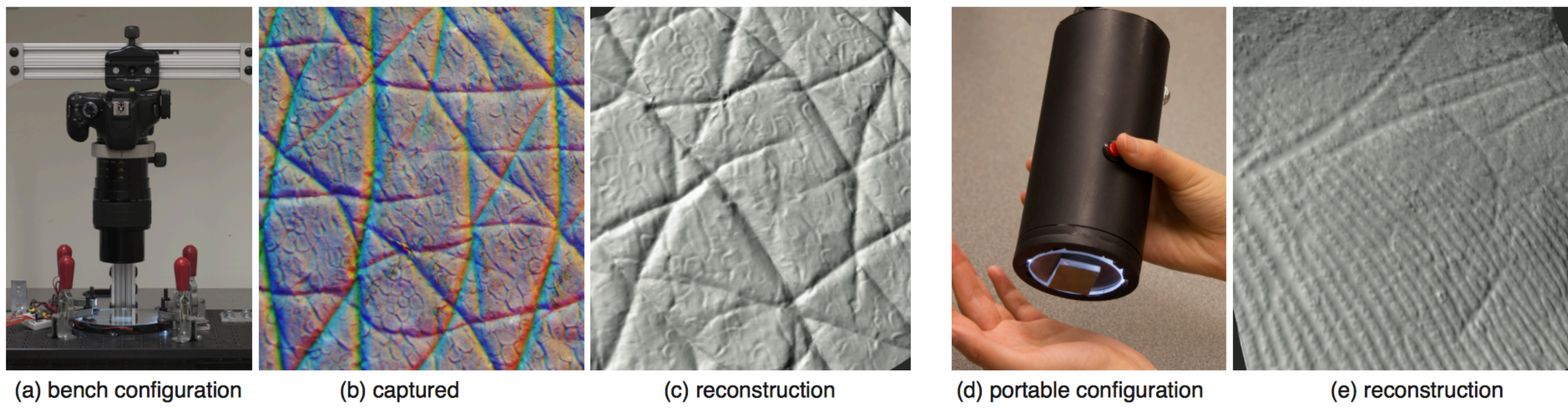


Figure 7: Comparison with the high-resolution result from the original retrographic sensor. (a) Rendering of the high-resolution \$20 bill example from the original retrographic sensor with a close-up view. (b) Rendering of the captured geometry using our method.

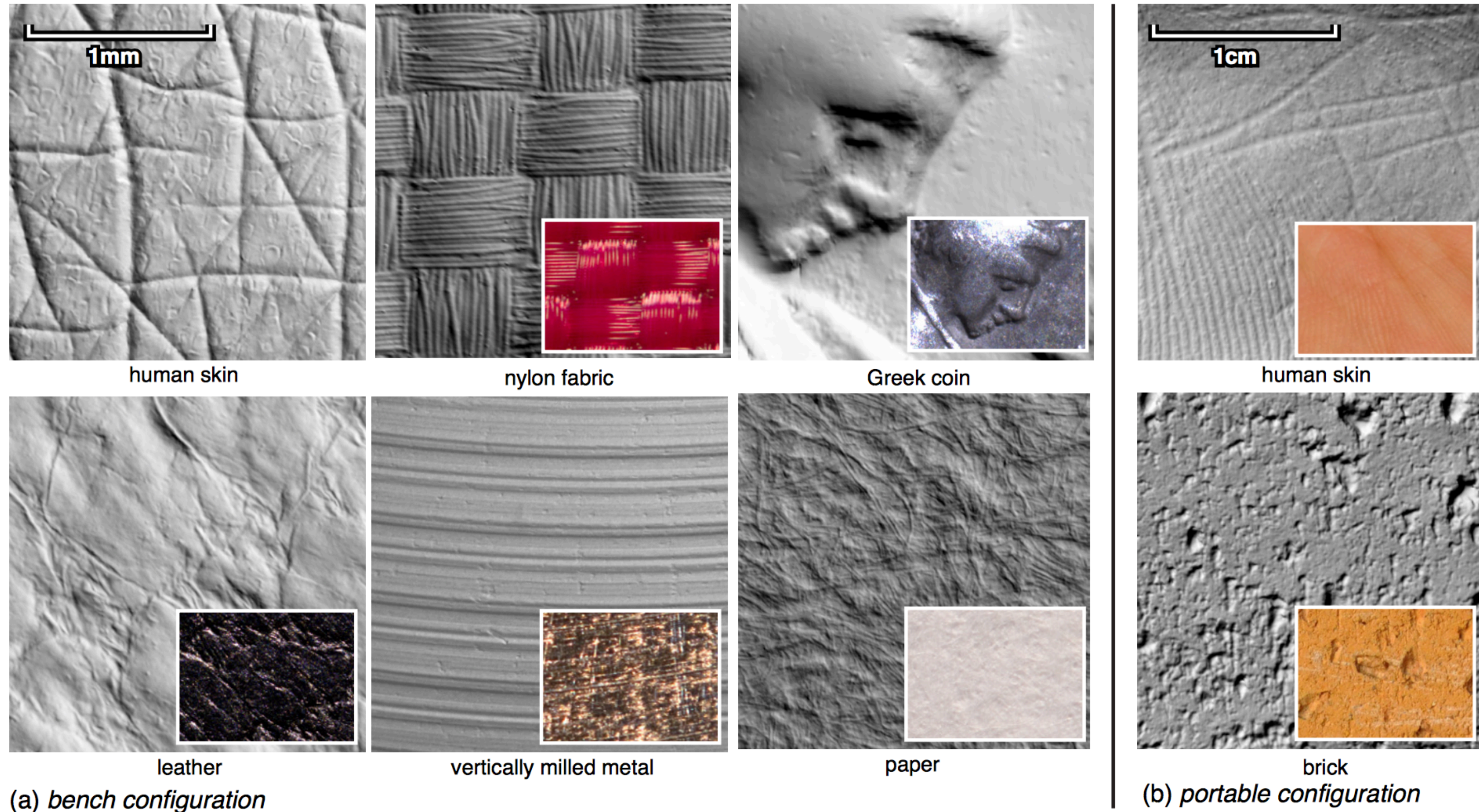
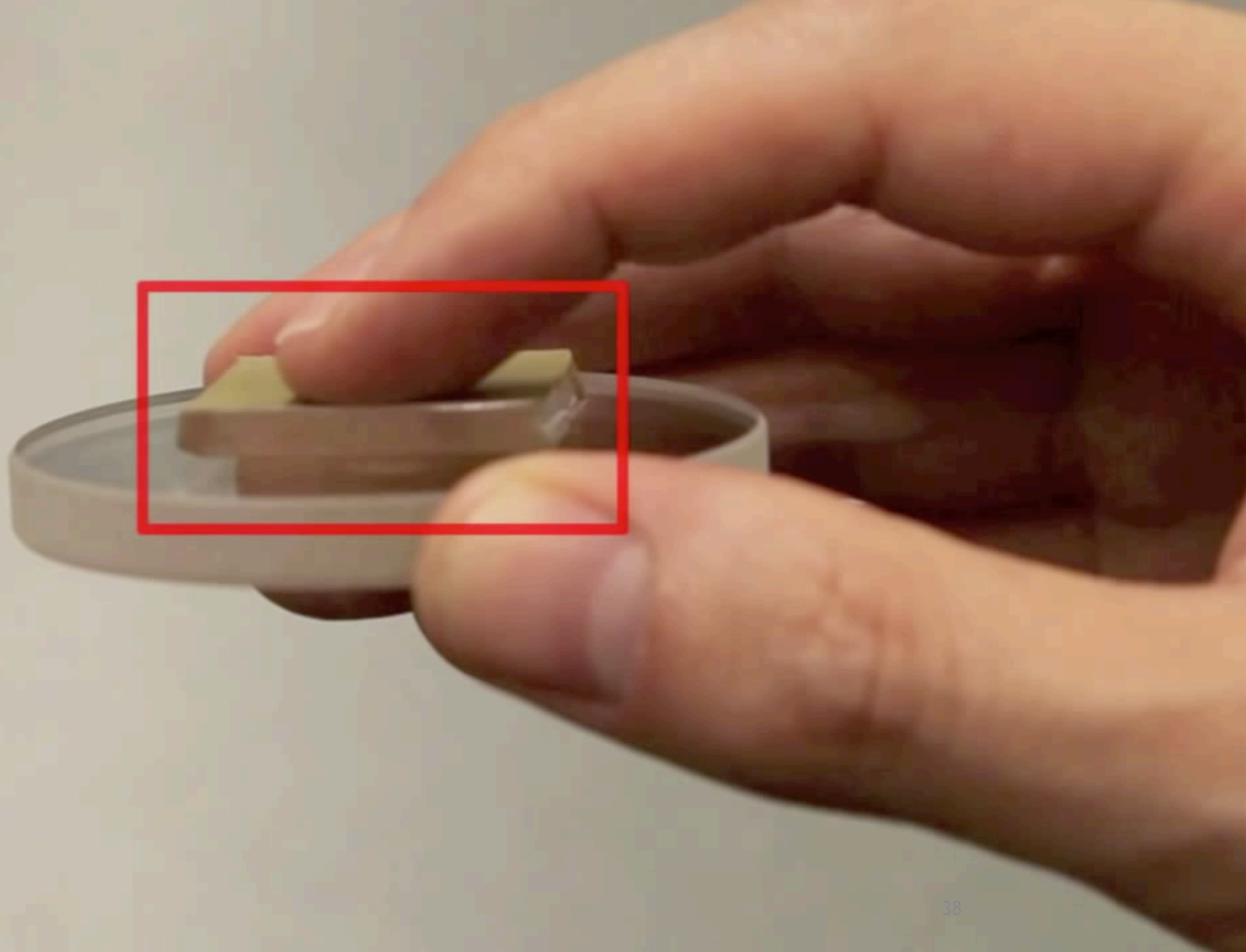


Figure 9: Example geometry measured with the bench and portable configurations. Outer image: rendering under direct lighting. Inset: macro photograph of original sample. Scale shown in upper left. Color images are shown for context and are to similar, but not exact scale.



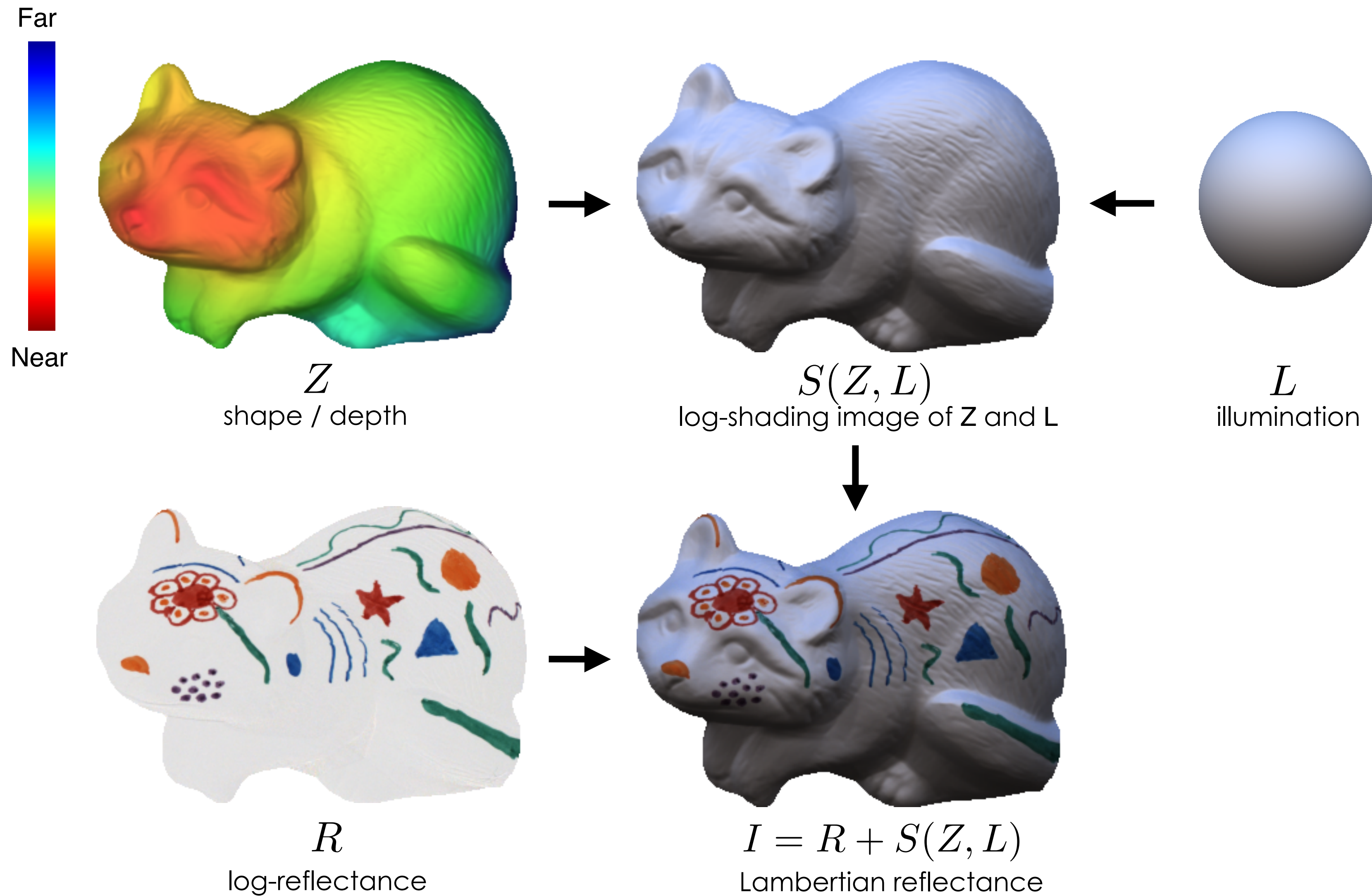
What about paint?



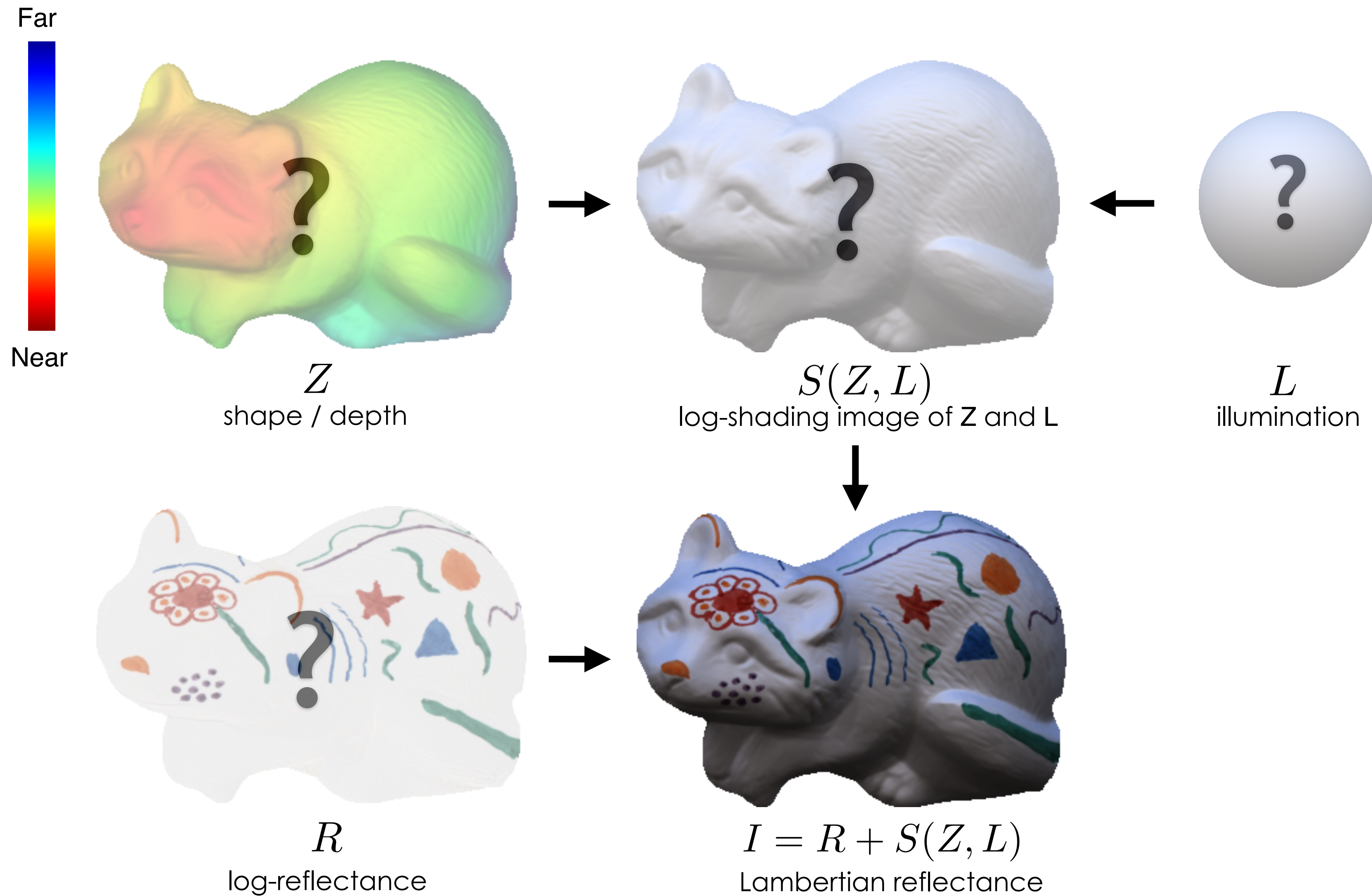
$$I = k_d \mathbf{N} \cdot \mathbf{L}$$

k_d is **reflectance** or **albedo**

Intrinsic image decomposition



Intrinsic image decomposition



Intrinsic image decomposition



Reflectance



Shading

CNN-based reflectance estimation

Input



Reflectance



Shading



[Bell et al., "Intrinsic images in the wild", 2014]

Applications of intrinsic image decomposition



[Barron and Malik “SIRFS”, 2012]

Application: relighting



[Barron and Malik “Scene-SIRFS”, 2013]

Application: relighting



[Barron and Malik "Scene-SIRFS", 2013]

Next week: perceptual grouping