# Intermediate Representation I High-Level to Low-Level IR Translation

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#### Where We Are...



# Intermediate Representation (aka IR)

- The compilers internal representation
  - » Is language-independent and machineindependent

Enables machine independent and machine dependent optis



# What Makes a Good IR?

- Captures high-level language constructs
  - » Easy to translate from AST
  - » Supports high-level optimizations
- Captures low-level machine features
  - » Easy to translate to assembly
  - » Supports machine-dependent optimizations
- Narrow interface: small number of node types (instructions)
  - » Easy to optimize
  - » Easy to retarget

# Multiple IRs

- Most compilers use 2 IRs:
  - » High-level IR (HIR): Language independent but closer to the language
  - » Low-level IR (LIR): Machine independent but closer to the machine
  - » A significant part of the compiler is both language and machine independent!



#### HIR is essentially the AST

- » Must be expressive for all input languages
- Preserves high-level language constructs
  - » Structured control flow: if, while, for, switch
  - » Variables, expressions, statements, functions
- Allows high-level optimizations based on properties of source language
  - Function inlining, memory dependence analysis, loop transformations

# Low-Level IR

- A set of instructions which emulates an abstract machine (typically RISC)
- Has low-level constructs
  - » Unstructured jumps, registers, memory locations
- Types of instructions
  - » Arithmetic/logic (a = b OP c), unary operations, data movement (move, load, store), function call/return, branches

# Alternatives for LIR

- ✤ 3 general alternatives
  - » Three-address code or quadruples
    - a = b OP c
    - Advantage: Makes compiler analysis/opti easier
  - » Tree representation
    - Was popular for CISC architectures
    - Advantage: Easier to generate machine code
  - » Stack machine
    - Like Java bytecode
    - Advantage: Easier to generate from AST

#### Three-Address Code

- a = b OP c
  - » Originally, because instruction had at most 3 addresses or operands
    - This is not enforced today, ie MAC: a = b \* c + d
  - » May have fewer operands
- Also called quadruples: (a,b,c,OP)
- Example

a = (b+c) \* (-e) t1 = b + c t2 = -e a = t1 \* t2Compiler-generated
Compiler-generated

## **IR** Instructions

- Assignment instructions
  - » a = b OP C (binary op)
    - arithmetic: ADD, SUB, MUL, DIV, MOD
    - logic: AND, OR, XOR
    - comparisons: EQ, NEQ, LT, GT, LEQ, GEQ
  - » a = OP b (unary op)
    - arithmetic MINUS, logical NEG
  - » a = b : copy instruction
  - » a = [b] : load instruction
  - » [a] = b : store instruction
  - » a = addr b: symbolic address

- Flow of control
  - » label L: label instruction
  - » jump L: unconditional jump
  - » cjump a L : conditional jump
- Function call
  - » call f(a1, ..., an)
  - » a = call f(a1, ..., an)
- IR describes the instruction set of an abstract machine

# IR Operands

- The operands in 3-address code can be:
  - » Program variables
  - » Constants or literals
  - » Temporary variables
- Temporary variables = new locations
  - » Used to store intermediate values
  - » Needed because 3-address code not as expressive as high-level languages

#### **Class Problem**

Convert the following code segment to assembly code

n = 0; while (n < 10) { n = n+1; }

# Translating High IR to Low IR

- May have nested language constructs
  - » E.g., while nested within an if statement
- Need an algorithmic way to translate
  - » Strategy for each high IR construct
  - » High IR construct → sequence of low IR instructions
- Solution
  - » Start from the high IR (AST like) representation
  - » Define translation for each node in high IR
  - » Recursively translate nodes

### Notation

- Use the following notation:
  - » [[e]] = the low IR representation of high IR construct e
- [[e]] is a sequence of low IR instructions
- If e is an expression (or statement expression), it represents a value
  - » Denoted as: t = [[e]]
  - » Low IR representation of e whose result value is stored in t
- For variable v: t = [[v]] is the copy instruction

**»** t = v

# Translating Expressions

#### Binary operations: t = [[e1 OP e2]]

» (arithmetic, logical operations and comparisons)



Unary operations: t = [[OP e]]

t1 = [[e1]]	OP
t = OP t1	
	e1

# Translating Array Accesses

# Array access: t = [[ v[e] ]]

» (type of e is array [T] and S = size of T)





# Translating Structure Accesses



# Translating Short-Circuit OR

Short-circuit OR: t = [[e1 SC-OR e2]]
» e.g., || operator in C/C++



# Short-circuit AND: t = [[e1 SC-AND e2]] » e.g., && operator in C/C++

Semantics:

- Evaluate e1
   if e1 is true, then evaluate e2
  - 3. else done

## **Translating Statements**

Statement sequence: [[s1; s2; ...; sN]]



IR instructions of a statement sequence = concatenation of IR instructions of statements

# Assignment Statements

Variable assignment: [[ v = e ]]

v = [[ e ]]

Array assignment: [[ v[e1] = e2 ]]

t1 = addr v t2 = [[e1]] t3 = t2 \* S t4 = t1 + t3 t5 = [[e2][t4] = t5 /\* ie store \*/

recall S = sizeof(T) where v is array(T)

# Translating If-Then [-Else]

t1 = [[ e ]] t2 = not t1 cjump t2 Lend [[ s ]] Lend: t1 = [[ e ]] t2 = not t1 cjump t2 Lelse Lthen: [[ s1 ]] jump Lend Lelse: [[ s2 ]] Lend:

How could I do this more efficiently??

#### While Statements

#### ✤ [[ while (e) s ]]

```
while-do translation
```

Lloop: t1 = [[ e ]] t2 = NOT t1 cjump t2 Lend [[ s ]] jump Lloop Lend:

or

do-while translation

```
t1 = [[ e ]]
t2 = NOT t1
cjump t2 Lend
Lloop: [[ s ]]
t3 = [[ e ]]
cjump t3 Lloop
Lend:
```

Which is better and why?

#### [[ switch (e) case v1:s1, ..., case vN:sN ]]

```
t = [[e]]
L1: c = t != v1
cjump c L2
[[ s1 ]]
jump Lend /* if there is a break */
L2: c = t != v2
cjump c L3
[[ s2 ]]
jump Lend /* if there is a break */
. . .
Lend:
```

Can also implement switch as table lookup. Table contains target labels, ie L1, L2, L3. 't' is used to index table.

Benefit: k branches reduced to 1. Negative: target of branch hard to figure out in hardware

#### Call and Return Statements

#### \* [[ call f(e1, e2, ..., eN) ]]

t1 = [[ e1 ]]t2 = [[ e2 ]]...tN = [[ eN ]]call f(t1, t2, ..., tN)

#### ✤ [[ return e ]]

t = [[ e ]] return t

# Nested Expressions

- Translation recurses on the expression structure
- ♦ Example: t = [[(a b) \* (c + d)]]

$$\begin{array}{c} t1 = a \\ t2 = b \\ t3 = t1 - t2 \\ t4 = c \\ t5 = d \\ t5 = t4 + t5 \\ t = t3 * t5 \end{array} \end{array} \left[ \left[ (a - b) \right] \right] \\ \left[ \left[ (a - b) * (c + d) \right] \right] \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \left[ (a - b) * (c + d) \right] \\ \left[ (a - b) * (c + d) \right] \\ \left[ (a - b) * (c + d) \right] \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \\ \\ \left[ (a - b) * (c + d) \right] \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$$

- Same for statements: recursive translation
- \* Example: t = [[ if c then if d then a = b ]]



#### Class Problem

Translate the following to the generic assembly code discussed

for (i=0; i<100; i++) { A[i] = 0;} c = 2;else c = 3;

#### Issues

- These translations are straightforward
- But, inefficient:
  - » Lots of temporaries
  - » Lots of labels
  - » Lots of instructions
- Can we do this more intelligently?
  - » Should we worry about it?