

Reconstructive Sparse Code Transfer for Contour Detection and Semantic Labeling

Michael Maire^{1,2} Stella X. Yu³ Pietro Perona²

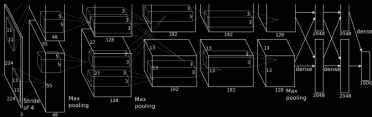
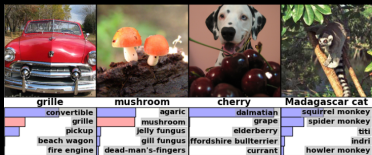
¹TTI Chicago ²California Institute of Technology

³University of California at Berkeley / ICSI

Motivation: Deep Representations

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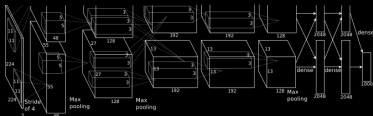
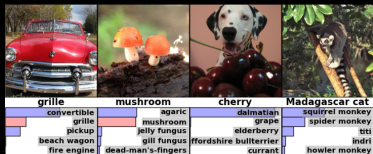
Image Classification



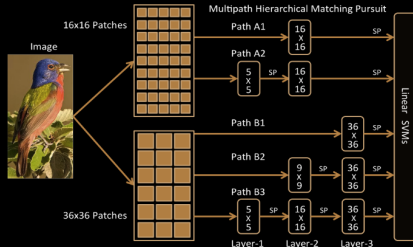
[Krizhevsky, Sutskever, and Hinton, NIPS 2012]

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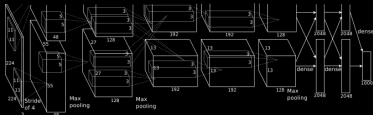
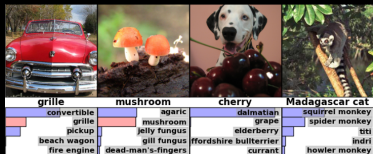
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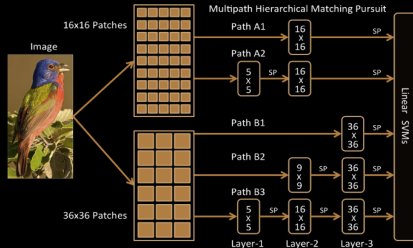
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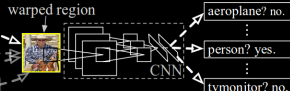
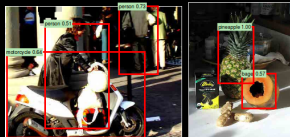


[Krizhevsky, Sutskever, and Hinton, NIPS 2012]



[Bo, Ren, and Fox, CVPR 2013]

Object Detection



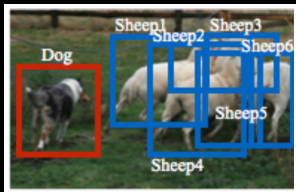
1. Input image
2. Extract region proposals (~2k)
3. Compute CNN features
4. Classify regions

[Girshick, Donahue, Darrell, and Malik, CVPR 2014]

Deep Representations for **Semantic Labeling**



classify image

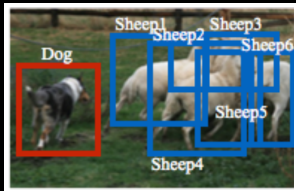


detect objects

Deep Representations for **Semantic Labeling**



classify image

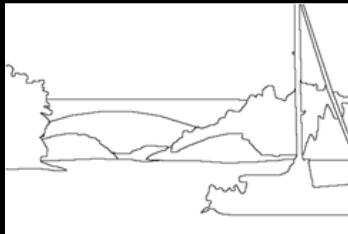


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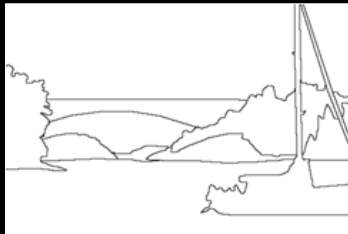


label every pixel

Contour Detection: Special Case



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contour detection serves as foundation for:
segmentation, object proposals

Semantic Labeling Strategy

predict patch labels from a spatially localized
multilayer slice of a deep representation

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generalization of sparse reconstruction

Multipath Sparse Coding

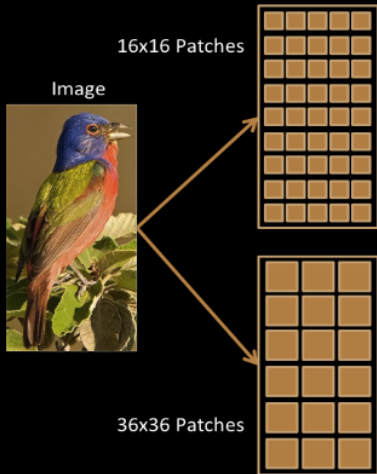
[Bo, Ren, and Fox, CVPR 2013]

Image

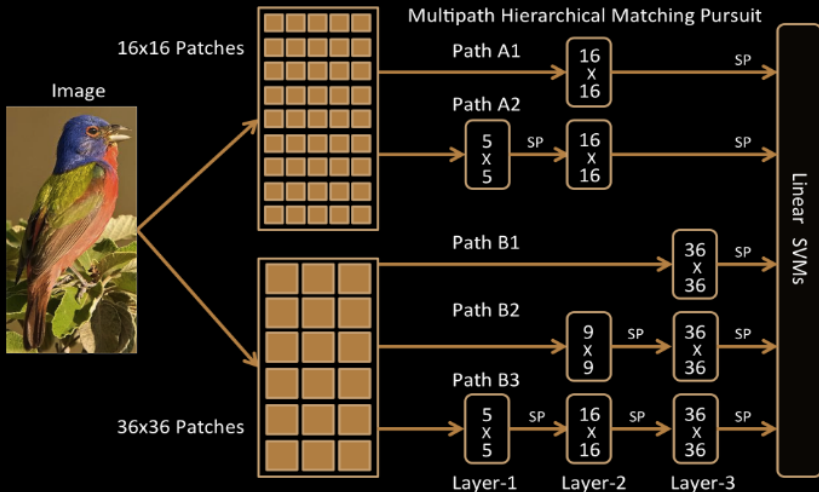


[Bo, Ren, and Fox, CVPR 2013]

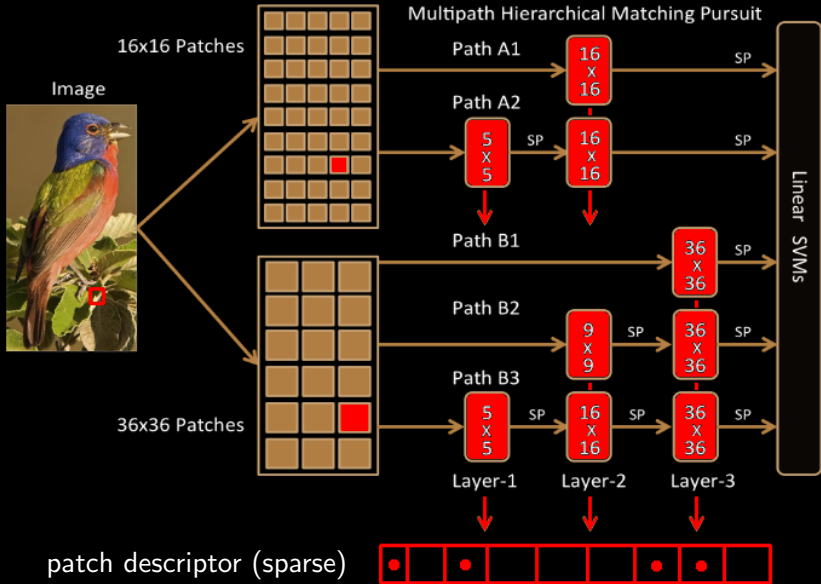
Multipath Hierarchical Matching Pursuit



[Bo, Ren, and Fox, CVPR 2013]



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Sparse Coding & Reconstruction

Image

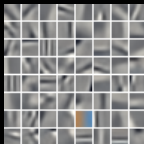


Sparse Coding & Reconstruction

Image

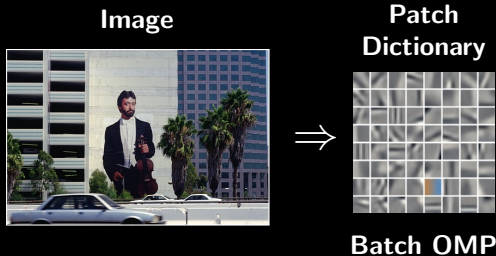


Patch
Dictionary



Batch OMP

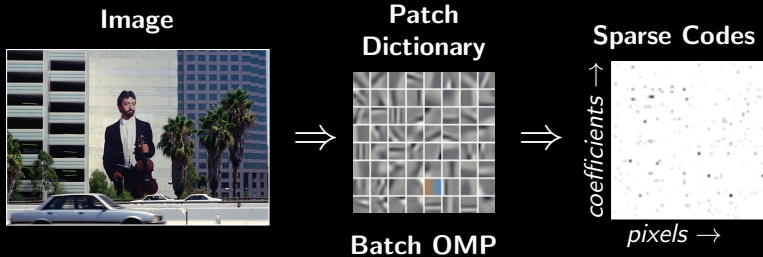
Sparse Coding & Reconstruction



$$x_i = z_{i,0} d_0 + z_{i,1} d_1 + \dots + z_{i,L} d_L \quad \|z_i\|_0 \leq K$$

x_i d_0 d_1 d_L

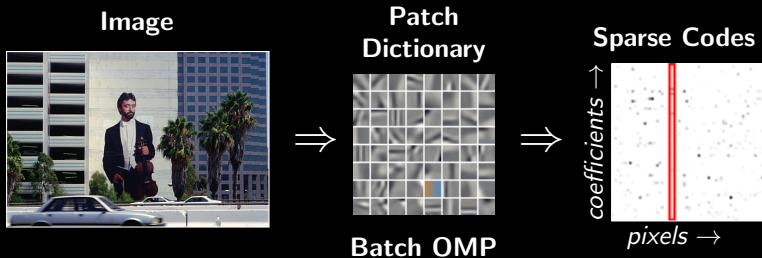
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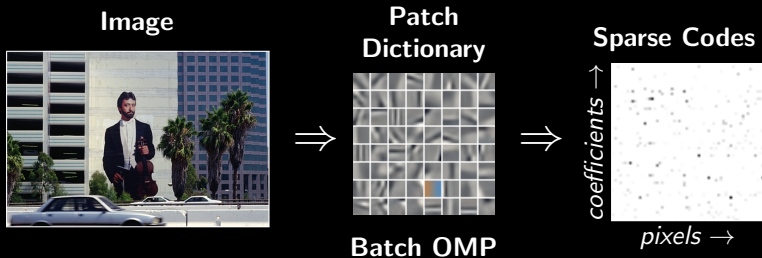
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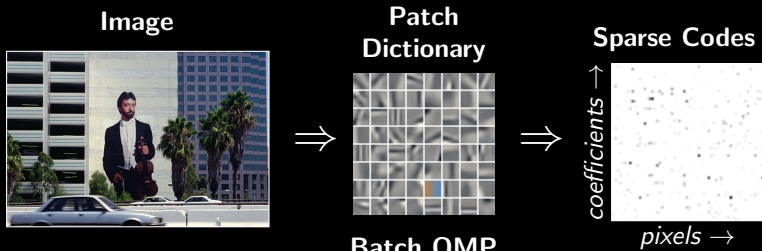
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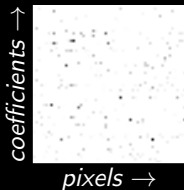
Sparse Coding & Reconstruction



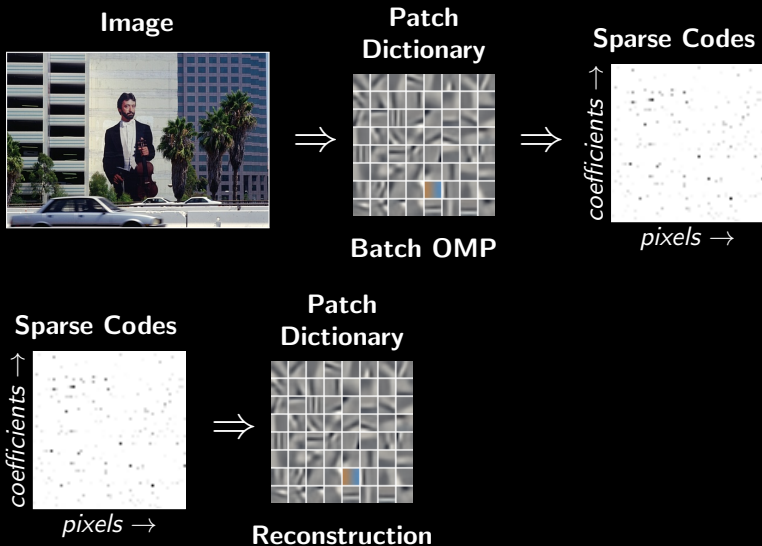
Sparse Coding & Reconstruction



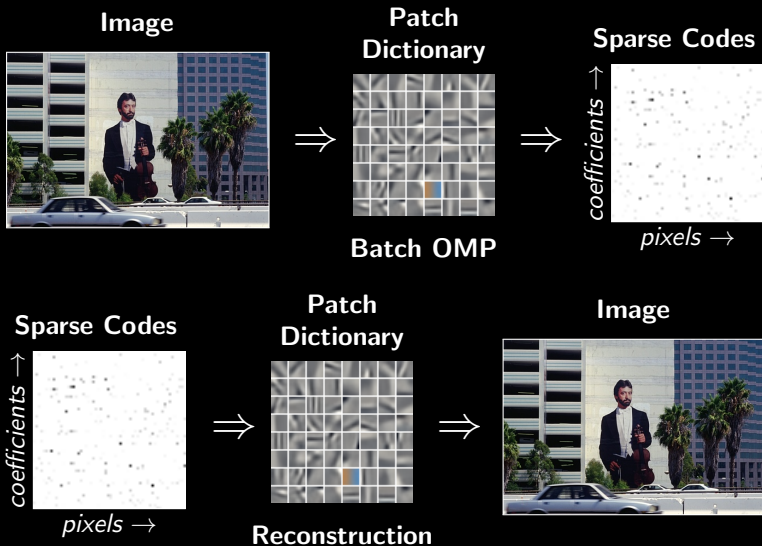
Sparse Codes



Sparse Coding & Reconstruction

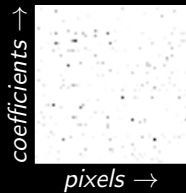


Sparse Coding & Reconstruction



Reconstructive Sparse Code Transfer

Sparse Codes



Reconstructive Sparse Code Transfer

Rectified
Sparse Codes



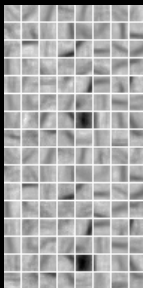
$$z_i \leftarrow [\max(z_i^T, 0), \max(-z_i^T, 0), 1]^T$$

Reconstructive Sparse Code Transfer

Rectified
Sparse Codes



Transfer
Dictionary



pixels →

Reconstruction

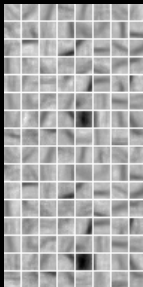
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Contour Detection

pixels \rightarrow

Reconstruction

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s.t. $\forall i, \|d_i\|_2 = 1$ and $\forall n, \|z_n\|_0 \leq K$

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$$s.t. \forall i, \|d_i\|_2 = 1 \text{ and } \forall n, \|z_n\|_0 \leq K$$

- ▶ encode patch $x \in \mathbb{R}^{m \cdot m \cdot c}$ as $z \in \mathbb{R}^L$:

$$\operatorname{argmin}_z \|x - Dz\|^2 \quad s.t. \|z\|_0 \leq K$$

Transfer Dictionary: Discriminative Training

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- ▶ train each $f_j(\cdot)$ using logistic regression
- ▶ replace z with **concatenated multipath codes**

Multiple Scales

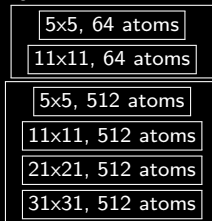


Multiple Scales



×

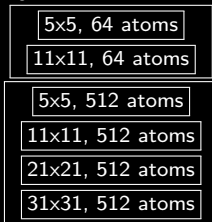
Layer 1 Dictionaries



Multiple Scales

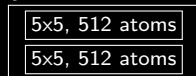


Layer 1 Dictionaries



→
pooling
→

Layer 2 Dictionaries

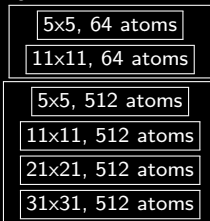


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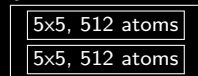
×

Layer 1 Dictionaries



→
pooling
→

Layer 2 Dictionaries



⇓

*rectify, upsample,
concatenate
sparse activation maps*

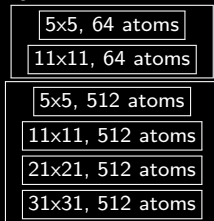
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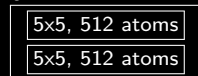
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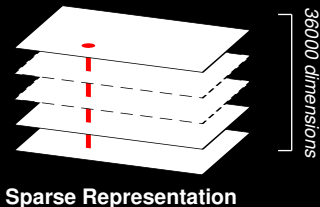
Layer 2 Dictionaries



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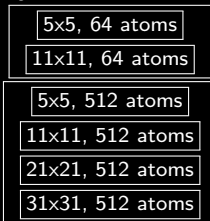


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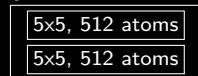
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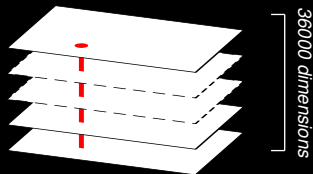
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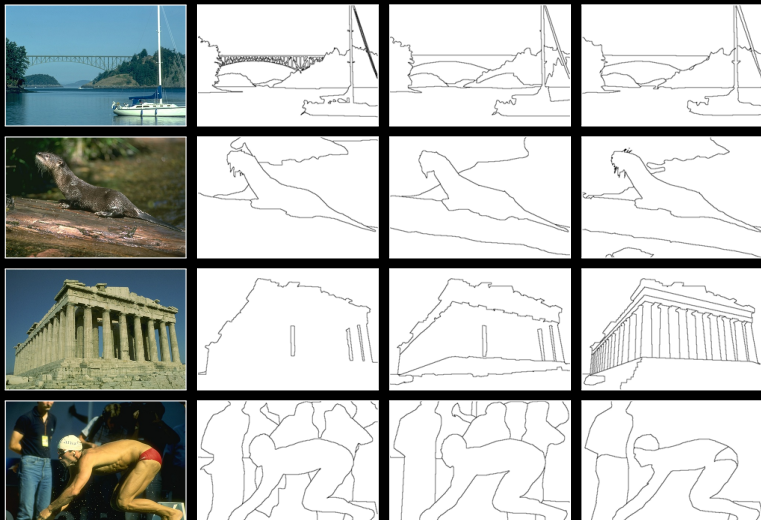
Contour Reconstruction

⇐



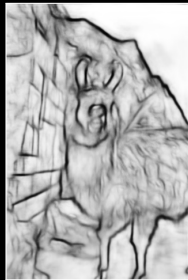
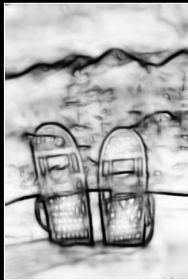
Sparse Representation

Contour Detection Groundtruth

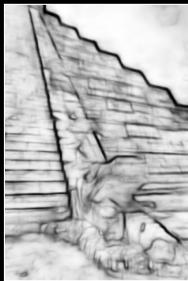


[Martin, Fowlkes, Tal, and Malik, ICCV 2001]

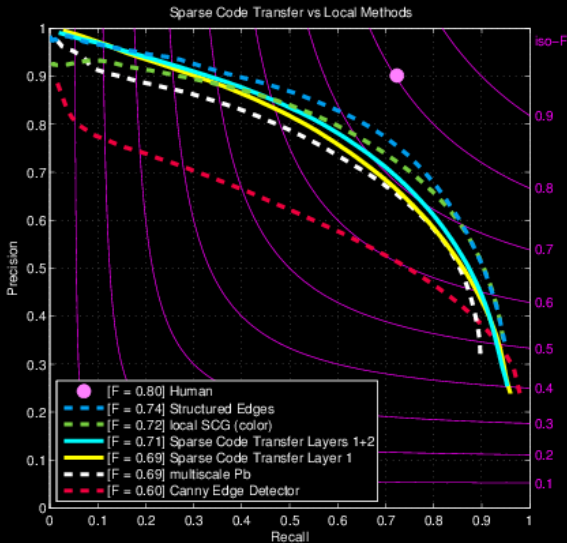
Contour Detection Results



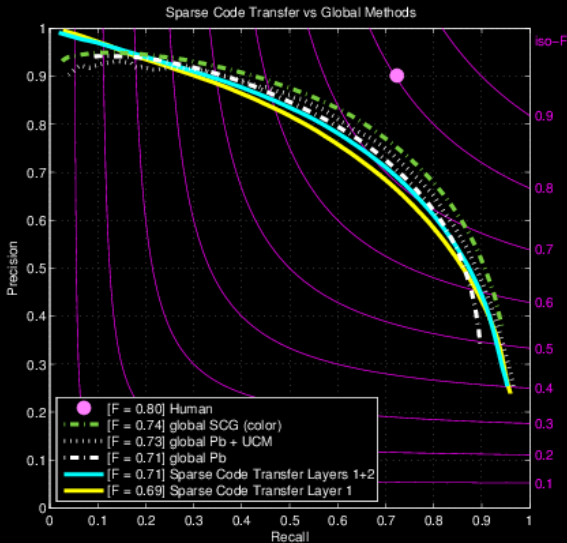
Contour Detection Results



Contour Detection Performance



Contour Detection Performance



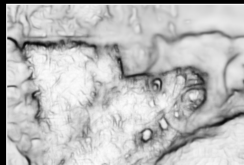
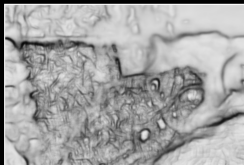
Contour Detection Performance

	Performance Metric			Hand-Designed		Spectral
	ODS F	OIS F	AP	Features?	Filters?	Globalization?
Human	0.80	0.80	—	—	—	—
Structured Edges	0.74	0.76	0.78	yes	no	no
local SCG (color)	0.72	0.74	0.75	no	yes	no
Sparse Code Transfer Layers 1+2	0.71	0.72	0.74	no	no	no
Sparse Code Transfer Layer 1	0.69	0.71	0.72	no	no	no
local SCG (gray)	0.69	0.71	0.71	no	yes	no
multiscale Pb	0.69	0.71	0.68	yes	yes	no
Canny Edge Detector	0.60	0.63	0.58	yes	yes	no
global SCG (color)	0.74	0.76	0.77	yes	yes	yes
global Pb + UCM	0.73	0.76	0.73	yes	yes	yes + UCM
global Pb	0.71	0.74	0.65	yes	yes	yes

Sparse Code Transfer:

- ▶ Performance competitive with top approaches
- ▶ Both representation and classifier are learned
- ▶ Free from reliance on hand-designed features or filters

Texture and Network Depth



Layer 1

Layers 1+2

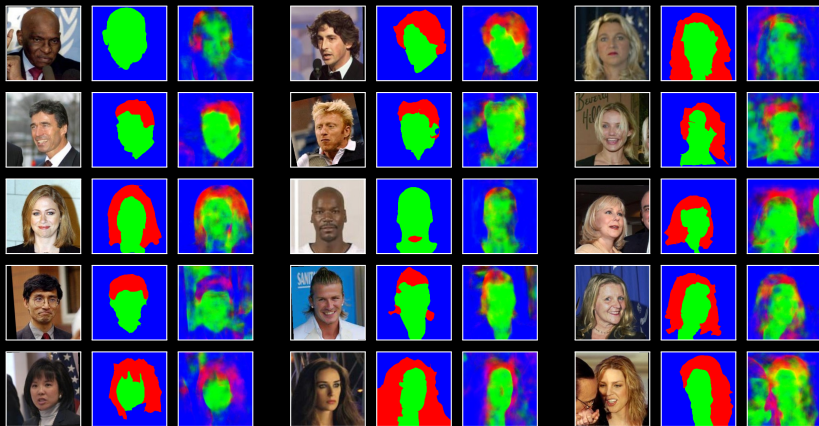
Texture and Network Depth



Layer 1

Layers 1+2

Semantic Labeling



hair skin background

Labeled Faces in the Wild Dataset [Kae, Sohn, Lee, Learned-Miller, CVPR 2013]

Summary

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Thank You!