

# Classification and Feature Selection with Human Performance Data

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# Scene Classification Framework

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# Related Work

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- ❖ Large amount of training data [Hays '07, Torralba '08]
- ❖ Learning from a few examples [Miller '00, Fei-Fei '06)
- ❖ Semi-supervised Learning [Li '09, Fergus '09]
- ❖ Active Learning [Collins '08, Vijayanarasimhan '10]
- ❖ *Our approach: priors based on human performance*

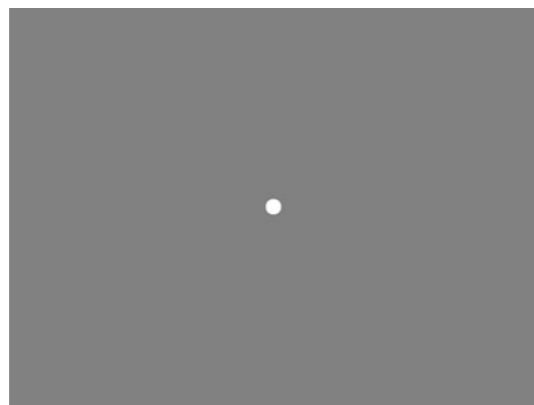
# Psychophysics-based “labelings”

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- ❖ Images briefly seen by subjects may not be categorized perfectly.
- ❖ Categorization errors result from limited available features.
- ❖ Instead of “hard” labels, use categorization errors (“soft” labels).
- ❖ Benefits:
  - ❖ better generalizing classifiers
  - ❖ infer features employed by human vision

# Ultra-Rapid Categorization

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fixation dot  
1sec

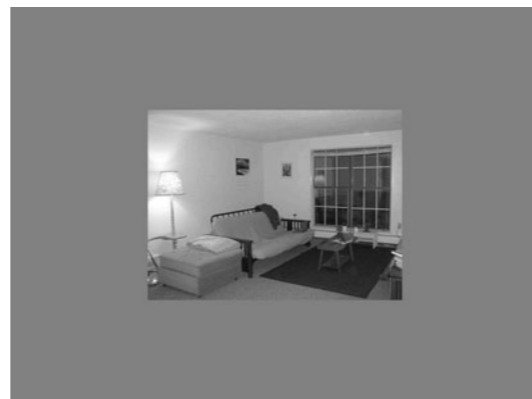
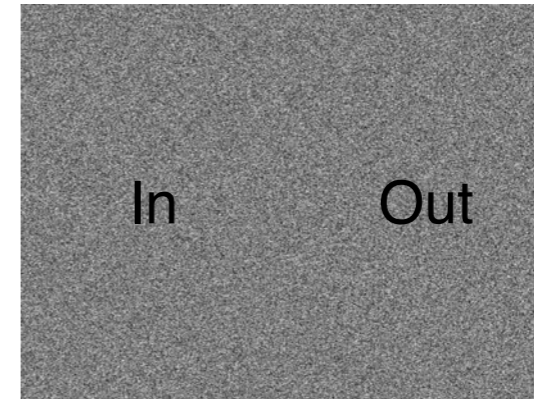
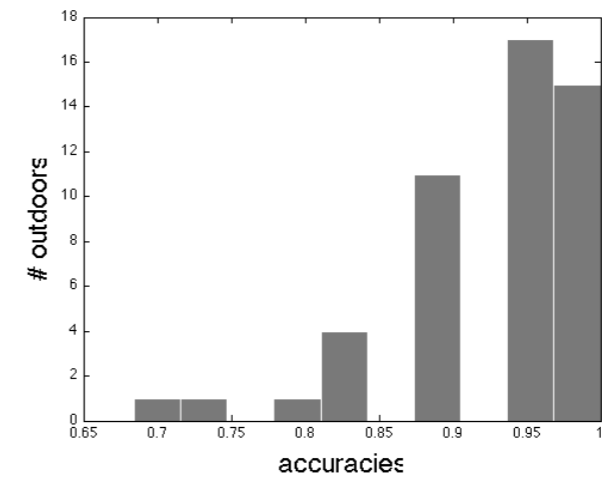
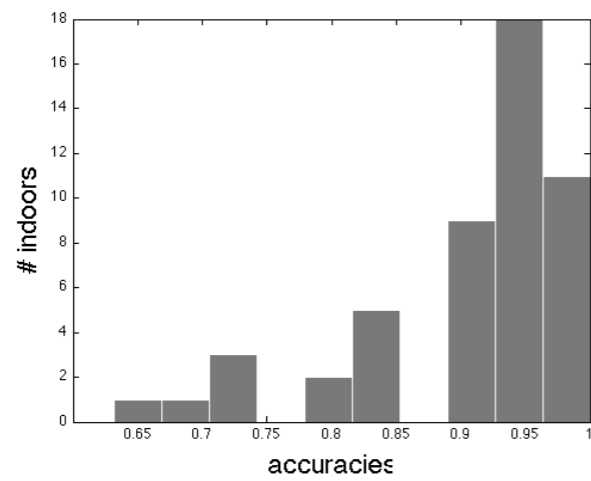


photo for 16ms



choice screen

# Example Accuracies



100%



100%



100%



100%



79%



63%



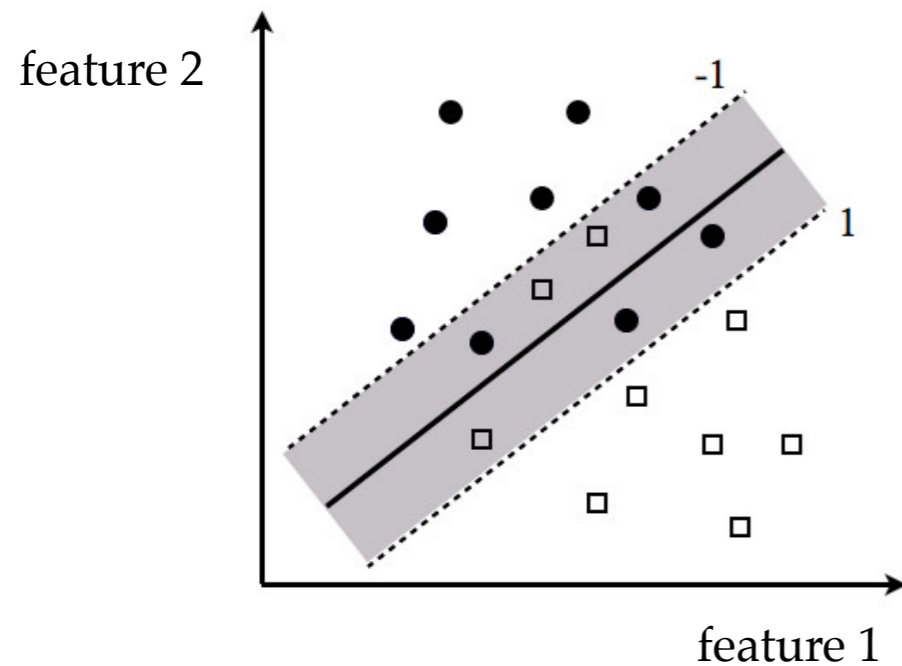
74%



68%

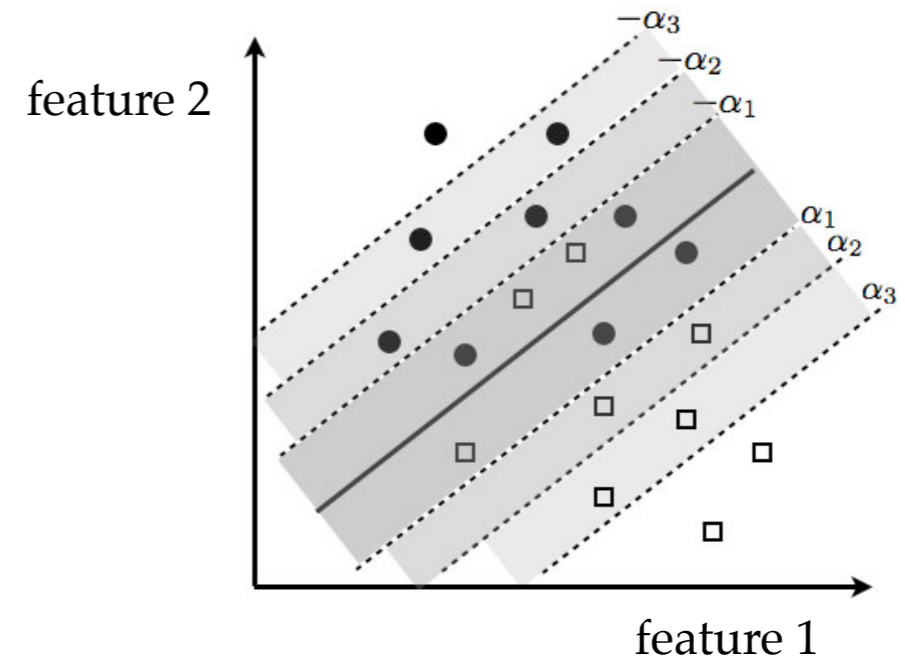
# Formulation

## SVM



$$\begin{aligned} \min \quad & \|\mathbf{w}\|_p + C \sum_i \xi_i \\ \text{s.t.} \quad & y_i (\mathbf{x}_i \cdot \mathbf{w} + b) \geq 1 - \xi_i \\ & \xi_i \geq 0, \quad i = 1, \dots, n \end{aligned}$$

## DSVM



$$\begin{aligned} \min \quad & \|\mathbf{w}\|_1 + C \sum_i \xi_i \\ \text{s.t.} \quad & y_i (\mathbf{x}_i \cdot \mathbf{w} + b) \geq \alpha_i - \xi_i \\ & \xi_i \geq 0, \quad i = 1, \dots, n \end{aligned}$$

# Non-linear SVM

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$$\begin{aligned} \min \quad & \|\mathbf{w}\|_1 + C \sum_i \xi_i \\ \text{s.t.} \quad & y_i \left( \sum_{j \neq i} y_j k(\mathbf{x}_i, \mathbf{x}_j) w_j + b \right) \geq \alpha_i - \xi_i \\ & \xi_i \geq 0, \quad i = 1, \dots, n \end{aligned}$$

Define kernel parameters with least squares fitting:

$$\min \sum_{i,j} [k(\mathbf{x}_i, \mathbf{x}_j) - r(\mathbf{x}_i, \mathbf{x}_j)]^2$$

Kernel: 
$$k(\mathbf{x}_i, \mathbf{x}_j) = \sum_{l=0}^m \beta_l h(\mathbf{x}_i, \mathbf{x}_j)^l$$

Perceptual correlation: 
$$r(\mathbf{x}_i, \mathbf{x}_j) = \begin{cases} 1 - |A(i) - A(j)|, & \text{if } y_i = y_j \\ |A(i) - A(j)|, & \text{if } y_i \neq y_j \end{cases}$$



# Experimental Evaluation

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training:            50 (indoors)      50 (outdoors)  
testing:            1,000 (indoors)    1,000 (outdoors)

		SVM (%)		DSVM (%)	
	# dim	indoors	outdoors	indoors	outdoors
gist	512	56.5	78.7	+5.6	+0.9
tiny images	3072	56.0	67.1	+4.2	-0.6
sparse SIFT	2000	74.9	62.8	+0.5	+0.3
textons	10752	69.3	86.2	-1.0	+0.9

# Indoors correctly classified by SVM only

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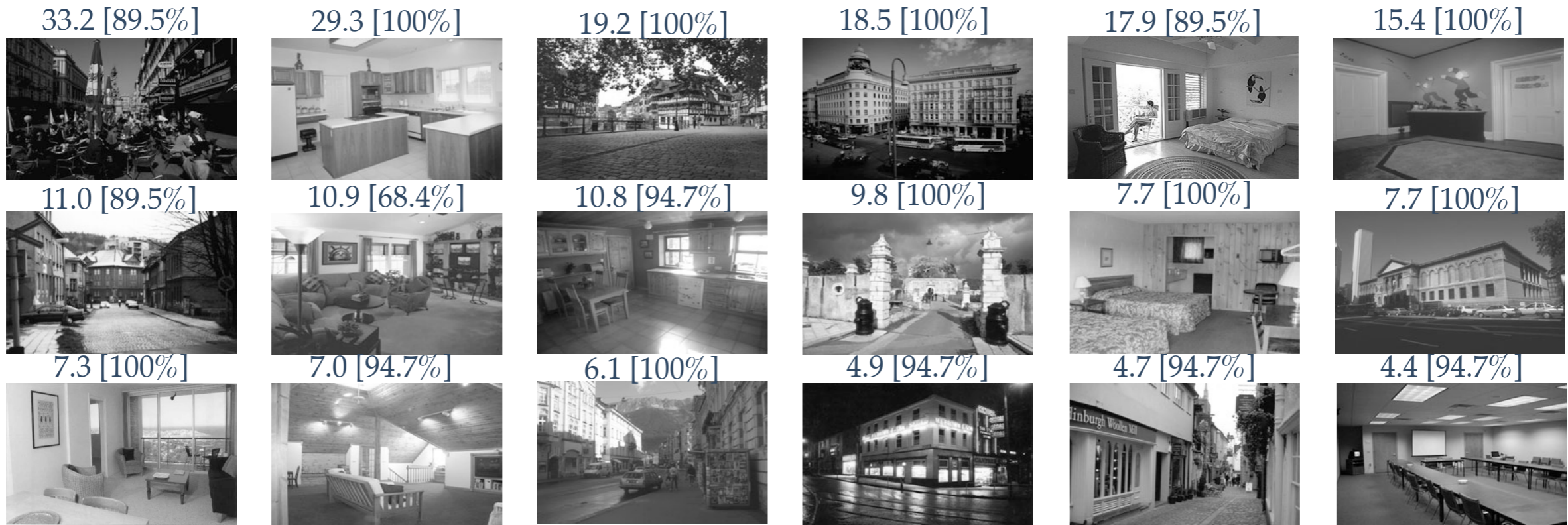
# Indoors correctly classified by DSVM only

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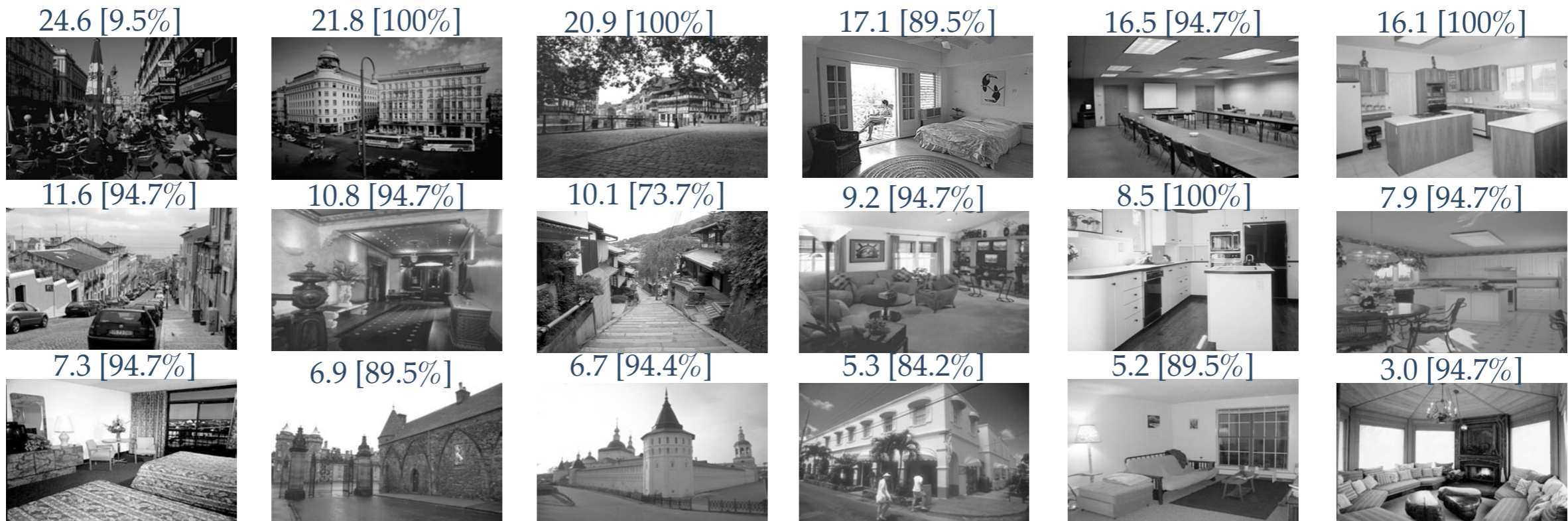


# Support Vectors

SVM



DSVM



# Summary

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